Appendix 2

Determination of the ionization efficiency

Total number of particles ablated per pulse:

$$N_{tot} = \frac{V \times \rho}{M}$$
 [particles/pulse]

For 200 fs pulses at 4 J/cm² irradiating a sapphire target, we have:

$$N_{tot} = 0.8 \times 10^{12}$$
 [particles/pulse in the gentle phase]

$$N_{tot} \ge 5 \times 10^{12}$$
 [particles/pulse in the strong phase]

where:

$$M = \frac{3M_O + 2M_{Al}}{5}$$
 is the average mass for sapphire, $M=20.4$ u, V is the

volume ablated per pulse and ρ is the material density [g/cm³].

The total ion yield is determined by the following procedure:

The measured yield for a fixed angle and extraction time is is given by the integral of the ion peak in the mass resolved TOF spectra as in Fig. 2.2-2 middle and bottom part: I(t) [mVx μ s]

The corrected yield in the velocity space is n(v)=I(t)t/D [mVx μ s²/m] where t is the extraction time, v is the velocity, v=D/t, and D is the separation between the extraction zone and the sample (see Fig. 2.2-1).

Total ion yield at a fixed angle is:

$$Y(\theta) = \int_{v} n(v)dv \qquad [\text{mVx}\mu\text{s}^2/\text{s}]$$

The density of counts is determined by the active area of the extraction grids (covered by the solid angle determined by the MSP aperture).

$$\sigma(\theta) = Y(\theta) / A = \sigma f_r(\theta)$$

Total number of counts is given by the integration of the angular distribution $f_r(\theta) = \cos^p(\theta)$ over the hemisphere

$$N = 2\pi r^2 \sigma \int_0^1 f^p(\cos(\theta)) d\cos(\theta) = \frac{2\pi r^2 \sigma}{p+1}$$
 [V s]

Since the MSP output has $R=50 \Omega$ impedance, the measured charge is given by:

$$Q = \frac{N}{R}$$
 [C]

The number of measured elementary charges is:

$$Q_{measured} = \frac{Q}{e}$$

The absolute number of ions is:

$$Q_{absolute} = \frac{Q_{measured}}{T\eta F}$$

where T is the grids transmission $n_{grids} \times 90\%$, η is the detector efficiency, taking into account the active area (~30%) and F is the amplification factor (~10³).

The ionization degree is thus given by:

$$\alpha = \frac{Q_{absolute}}{N_{tot}}$$