

Dataset description

Turbulent Ekman flow ($Re_D = 1300$, $Ri = 0$)

Direct numerical simulation – Set-up and vertical profiles

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1 Metadata

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Collection This data set is part of the collection [Turbulent wall-bounded flow](#)².

The collection is freely available and hosted by Refubium, the institutional repository of Freie Universität Berlin.

DOI [10.17169/refubium-42508](https://doi.org/10.17169/refubium-42508)

HPC systems The data was generated under the project HKU24 on the supercomputer JUWELS at John-von-Neumann Institute for Computing (NIC) at Forschungszentrum Jülich (Germany).

Code The data was generated by the tool-suite for turbulence simulation tLab³

Related Publications

[10.1007/s10546-018-0386-y](https://doi.org/10.1007/s10546-018-0386-y)

[10.1017/jfm.2018.693](https://doi.org/10.1017/jfm.2018.693)

2 The dataset

2.1 Contents

The dataset files, collectively named with grid information and the date of creation of the data on the High-Performance Computing (HPC) system. Each file of the collection contains time-series of a namelist files name dns.ini which is a plain text file holding the configuration of the tLab code (for documentation, please refer to Open-source code available under github.com/turbulencia/tlab).

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²refubium.fu-berlin.de/handle/fub188/42710

³github.com/turbulencia/tlab

2.2 Physical case

This case of simulation conducted with a Reynolds number (Re) of 1300, corresponding to a friction Reynolds number Re_τ of 2122, delves into the study of the turbulent flow. Utilizing a computational grid measuring $2560 \times 5120 \times 640$ collocation points with a spatial resolution of $8.9 \times 4.5 \times 0.99$ wall units, the domain size is scaled to $L_x = L_y = 0.54 \Lambda$, where Λ is the Rossby radius.

2.3 Variable information

The statistical data is available in self-documented netCDF format, and it contains a wide array of parameters, encompassing vertical profiles of velocity and scalar variables (temperature/buoyancy as active and for some cases also passive scalars), scalar and momentum budget terms, as well as statistical moments up to the fourth order of velocities, scalars, and derivatives. These parameters provide a comprehensive perspective on Ekman flow dynamics. They are organized into distinct groups. Within the subsequent table, you will find numerous variables grouped together, accompanied by their descriptions and associated equations.

Mean		
rR	density (RA)	$\bar{\rho}$
rU	u, x-component of the velocity (RA)	\bar{u}
rV	v, y-component of the velocity (RA)	\bar{v}
rW	w, z-component of the velocity (RA)	\bar{w}
rP	π dynamic, reduced pressure (RA)	$\bar{\pi}$
rT	T, caloric temperature (RA)	\bar{T}
re	e, internal energy (RA)	\bar{e}
rh	h, enthalpy (RA)	$\bar{e} + (\Gamma_0 - 1) Ma^2 \frac{p}{\rho}$
rs	s, entropy (RA)	\bar{s}
rB	B, buoyancy (RA)	\bar{B}
fU	u, x-component of the velocity (FA)	$\langle u \rangle$
fV	v, y-component of the velocity (FA)	$\langle v \rangle$
fW	w, z-component of the velocity (FA)	$\langle w \rangle$
fT	T, caloric Temperature (FA)	$\langle T \rangle$
fe	e, internal energy (FA)	$\langle e \rangle$
fh	h, enthalpy (FA)	$\langle e + (\Gamma_0 - 1) Ma^2 \frac{p}{\rho} \rangle$
fs	s, entropy (FA)	$\langle s \rangle$

Fluctuations

Tke	Turbulence kinetic energy	$\frac{1}{2} \bar{u}' u'$
Rxx	Reynolds stress R_{11}	$\bar{u}' u'$
Ryy	Reynolds stress R_{22}	$\bar{v}' v'$
Rzz	Reynolds stress R_{33}	$\bar{w}' w'$
Rxy	Reynolds stress R_{12}	$\bar{u}' v'$
Rxz	Reynolds stress R_{13}	$\bar{u}' w'$
Ryz	Reynolds stress R_{23}	$\bar{v}' w'$
rP2	Pressure fluctuation (RA)	$\bar{\pi}' \pi'$
rR2	Density fluctuation (RA)	$\bar{\rho}' \rho'$
rT2	Temperature fluctuation (RA)	$\bar{T}' T'$
fT2	Temperature fluctuation (FA)	$\langle T' T' \rangle$
re2	internal energy fluctuation (RA)	$\bar{e}' e'$
fe2	internal energy fluctuation (FA)	$\langle e' e' \rangle$
rh2	enthalpy fluctuation (RA)	$\bar{h}' h'$
fh2	enthalpy fluctuation (FA)	$\langle h' h' \rangle$
rs2	Entropy fluctuation (RA)	$\bar{s}' s'$
fs2	Entropy fluctuation (FA)	$\langle s' s' \rangle$

DerivativeFluctuations

U_y1		$\frac{\partial_y u}{\partial_y u}$
V_y1		$\frac{\partial_y v}{\partial_y w}$
W_y1		
U_ii2		
U_x2		$\frac{(\partial_x u')^2}{(\partial_y u')^2}$
U_y2		$\frac{(\partial_y u')^2}{(\partial_z u')^2}$
U_z2		$\frac{(\partial_z u')^2}{(\partial_x u')^2}$
V_x2		$\frac{(\partial_x v')^2}{(\partial_y v')^2}$
V_y2		$\frac{(\partial_y v')^2}{(\partial_z v')^2}$
V_z2		$\frac{(\partial_z v')^2}{(\partial_x v')^2}$
W_x2		$\frac{(\partial_x w')^2}{(\partial_y w')^2}$
W_y2		$\frac{(\partial_y w')^2}{(\partial_z w')^2}$
W_z2		$\frac{(\partial_z w')^2}{(\partial_x w')^2}$
U_x3		$\frac{(\partial_x u')^3}{(\partial_y u')^3}$
U_y3		$\frac{(\partial_y u')^3}{(\partial_z u')^3}$
U_z3		$\frac{(\partial_z u')^3}{(\partial_x u')^3}$
V_x3		$\frac{(\partial_x v')^3}{(\partial_y v')^3}$
V_y3		$\frac{(\partial_y v')^3}{(\partial_z v')^3}$
V_z3		$\frac{(\partial_z v')^3}{(\partial_x v')^3}$
W_x3		$\frac{(\partial_x w')^3}{(\partial_y w')^3}$
W_y3		$\frac{(\partial_y w')^3}{(\partial_z w')^3}$
W_z3		$\frac{(\partial_z w')^3}{(\partial_x w')^3}$
U_x4		$\frac{(\partial_x u')^4}{(\partial_y u')^4}$
U_y4		$\frac{(\partial_y u')^4}{(\partial_z u')^4}$
U_z4		$\frac{(\partial_z u')^4}{(\partial_x u')^4}$
V_x4		$\frac{(\partial_x v')^4}{(\partial_y v')^4}$
V_y4		$\frac{(\partial_y v')^4}{(\partial_z v')^4}$
V_z4		$\frac{(\partial_z v')^4}{(\partial_x v')^4}$
W_x4		$\frac{(\partial_x w')^4}{(\partial_y w')^4}$
W_y4		$\frac{(\partial_y w')^4}{(\partial_z w')^4}$
W_z4		$\frac{(\partial_z w')^4}{(\partial_x w')^4}$
VarDilatation	Variance of Dilatation	$\frac{(\partial_x u_i - \partial_y v)^2}{(\partial_x u')^2}$
VarUx		$\frac{(\partial_x u')^2}{(\partial_y u')^2}$
VarUy		$\frac{(\partial_y u')^2}{(\partial_z u')^2}$
VarUz		$\frac{(\partial_z u')^2}{(\partial_x u')^2}$
VarVx		$\frac{(\partial_x v')^2}{(\partial_y v')^2}$
VarVy		$\frac{(\partial_y v')^2}{(\partial_z v')^2}$
VarVz		$\frac{(\partial_z v')^2}{(\partial_x v')^2}$
VarWx		$\frac{(\partial_x w')^2}{(\partial_y w')^2}$
VarWy		$\frac{(\partial_y w')^2}{(\partial_z w')^2}$
VarWz		$\frac{(\partial_z w')^2}{(\partial_x w')^2}$
SkewUx		
SkewUy		
SkewUz		
SkewVx		
SkewVy		
SkewVz		
SkewWx		
SkewWy		
SkewWz		
FlatUx		
FlatUy		
FlatUz		
FlatVx		
FlatVy		
FlatVz		
FlatWx		
FlatWy		
FlatWz		

Vorticity

Wx	Vorticity (x-component)	$\frac{\partial_z v - \partial_y w}{\partial_z w - \partial_z u}$
Wy	Vorticity (y-component)	$\frac{\partial_x w - \partial_z u}{\partial_x u - \partial_x v}$
Wz	Vorticity (z-component)	$\frac{\partial_x u - \partial_y v}{\partial_x v - \partial_x w}$
Wx2	Fluctuation of x-Vorticity	$\frac{\partial_z v' - \partial_y w'}{\partial_z w' - \partial_z u'}$
Wy2	Fluctuation of y-Vorticity	$\frac{\partial_x w' - \partial_x z'}{\partial_x z' - \partial_x v'}$
Wz2	Fluctuation of z-Vorticity	$\frac{\partial_y w' - \partial_x v'}{\partial_x v' - \partial_x w'}$

RxxBudget

Rxx_t	Time-rate of change of R_{11}	$\frac{\partial_t R_{11}}{\partial_x u'}$
Bxx	buoyancy production	$2 b_x u' B'$
Cxx	advection in y-direction	$- \bar{v} \partial_y u' w'$
Pxx	shear-production	$- 2 u' v' \partial_y \bar{u}$
Exx	viscous dissipation	
Fxx	Coriolis production	$2 f_y u' w'$
Txxx_y	divergence of T_{112} turbulent transport	$\partial_y R_{112}$
Txyy	vertical transport T_{112}	$u' u' v' - 2\nu \partial_y (u - \langle u \rangle)$
Gxx	pressure variable-density term	0
Dxx	viscous variable-density term	

RyyBudget

Ryy_t	Time-rate of change of R_{22}	$\frac{\partial_t R_{22}}{\partial_x u'}$
Byy	buoyancy production of Ryy	$2 b_y u' B'$
Cyy	advection in y-direction	$\bar{v} \partial_y v' v'$
Pyy	shear production	$- 2 v' v' \partial_y \bar{v}$
Eyy	viscous dissipation	
Plyy	pressure-velocity correlation Π_{22}	$2 v' p'$
Fyy	Coriolis production	0
Tyyy_y	divergence of T_{222} turbulent transport	$\partial_y R_{222}$
Tyy	vertical transport T_{222}	$v' v' v' + 2 \bar{v}' p' - 2\nu (\partial_y v)(v - \langle v \rangle)$
Gyy	pressure variable-density term	
Dyy	viscous variable-density term	$2 (\bar{v} - \langle v \rangle) \partial_y \bar{p}$

RzzBudget

Rzz_t	Time-rate of change of R_{33}	$\frac{\partial_t R_{33}}{\partial_x u'}$
Bzz	buoyancy production	$2 b_z w' B'$
Czz	advection in y-direction	$- \bar{v} \partial_y w' w'$
Pzz	shear production	$- 2 v' w' \partial_y \bar{w}$
Ezz	viscous dissipation	
PIzz	pressure-velocity correlation Π_{33}	$2 w' p'$
Fzz	Coriolis production of Rzz	$- 2 f_y u' w'$
Tzz_y	divergence of T_{332} turbulent transport	$\partial_y R_{332}$
Tzz	vertical transport T_{332}	$w' w' v' - 2\nu (\partial_y w)(w - \langle w \rangle)$
Gzz	pressure variable-density term	0
Dzz	viscous variable-density term	

RxyBudget

Rxy_t	Time-rate of change of R_{12}	$\frac{\partial_t R_{12}}{\partial_x u'}$
Bxy	buoyancy production	$b_x u' B' + b_y v' B'$
Cxy	advection in y-direction	$- \bar{v} \partial_y u' v'$
Pxy	shear production	$- u' v' \partial_y \bar{v} - v' v' \partial_y \bar{u}$
Exy	viscous dissipation	
Plxy	pressure-velocity correlation Π_{12}	$p' (\partial_y u - \partial_x v)$
Fxy	Coriolis production of Rxy	$f_y v' w'$
Txyy_y	divergence of T_{122} turbulent transport	$\partial_y R_{122}$
Txy	vertical transport T_{122}	$u' v' v' + u' p'$
Gxy	pressure variable-density term	$(\bar{u} - \langle u \rangle) \partial_y \bar{p}$
Dxy	viscous variable-density	