Anhang D

Layoutanalyse

1.1 "MediaTeam" Dokumentdatenbank

Zu sehen ist das Resultat der Layouterkennung auf den Dokumenten der "MediaTeam" Datenbank. Die produzierten Ergebnisse und die vorgegebenen Referenzdaten werden gegenübergestellt. Die ermittelte Vorlesereihenfolge wird mit Hilfe der Linien gekennzeichnet. Die grünen Linien auf den linken Aufnahmen markieren dabei Übergänge zwischen den erkannten Abschnitten und blaue Linien zwischen den Textregionen innerhalb der einzelnen Abschnitte.

In erster Linie wurde die Fähigkeit des Algorithmus evaluiert, Textregionen zu identifizieren. Ein Klassifizierungsfehler liegt dementsprechend dann vor, wenn zu einer vorgegebenen Textregion kein Textsegment identifiziert werden konnte, dessen Mittelpunkt in der Nähe der Ground-Truth-Koordinaten liegt. Der tolerierte Abweichungsbereich wurde in Abhängigkeit von den Ausmaßen der jeweiligen Region festgelegt, wobei Regionen mit einer geringen Größe aus der Bewertung herausgenommen wurden. Des Weiteren wurde die vorgegebene Vorlesereihenfolge mit der ermittelten verglichen. Für jede Ground-Truth-Nachbarschaftsbeziehung wurde kontrolliert, ob diese konform mit der berechneten Anordnung ist. Die Auswertung wurde dabei einerseits dadurch erschwert, dass für viele Dokumente der MediaTeam Datenbank keine Totalordnung vorgegeben ist, weshalb in bestimmten Fällen keine Aussagen über die Richtigkeit der erkannten Anordnung gemacht werden konnte. Andererseits führte die Untersegmentierungsproblematik gelegentlich dazu, dass für einige der Ground-Truth-Relationen keine Entsprechung in der berechneten Abfolge gefunden wurde. Infolge dieser Beobachtungen wurde die Auswertung wie folgt vorgenommen:

- Für jede der vorgegebenen Nachbarschaftsrelationen $relation(R_i, R_j)$, $i > j$ wurde in der berechneten Partitionierung nach den Entsprechungen für die beiden Regionen R'_i, R'_j unter Verwendung der Mittelpunkt-Koordinaten gesucht
- Falls eine Regionen nicht gefunden werden konnte, dann wurde ein Versuch unternommen aufeinanderfolgende Ground-Truth-Regionen zu kombinieren und auf diese Weise die Untersegmentierungsproblematik zu lösen

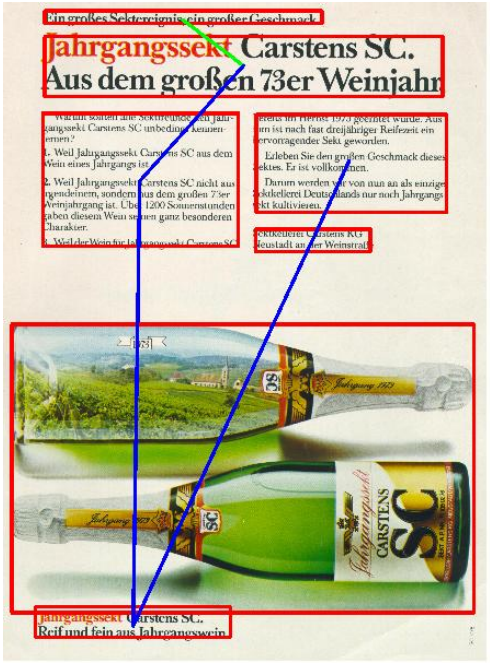
- Es wurde kontrolliert, ob die transitive Hülle der berechneten Nachbarschaftsrelationen die Relation $relation(R'_i, R'_j)$ enthält
- Im Erfolgsfall wurde die Relation $relation(R_i, R_j)$ selbst sowie die u. U. bei der Verschmelzung der Regionen verwendeten Relationen als korrekt erkannt markiert

Tabelle 1: Auswertung der Layouterkennung auf den Dokumenten der MediaTeam DB.

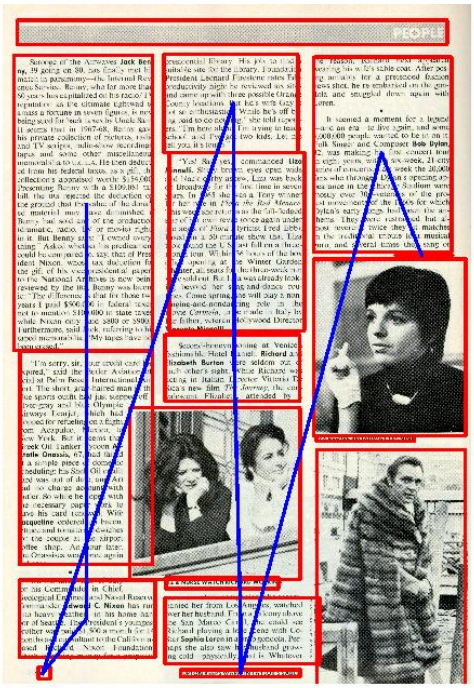
MediaTeam Dokument	**Region** Korrekt/Gesamt	**Vorlesereihenfolge** Korrekt/Gesamt
1.	5/8	5/7
2.	9/9	5/5
3.	15/19	5/5
4.	11/12	5/5
5.	7/8	5/5
6.	4/5	3/3
7.	6/16	12/12
8.	4/8	5/5
9.	2/4	3/3
10.	3/4	3/3
11.	5/7	4/6
12.	6/7	4/4
13.	8/10	5/5
14.	10/16	11/12

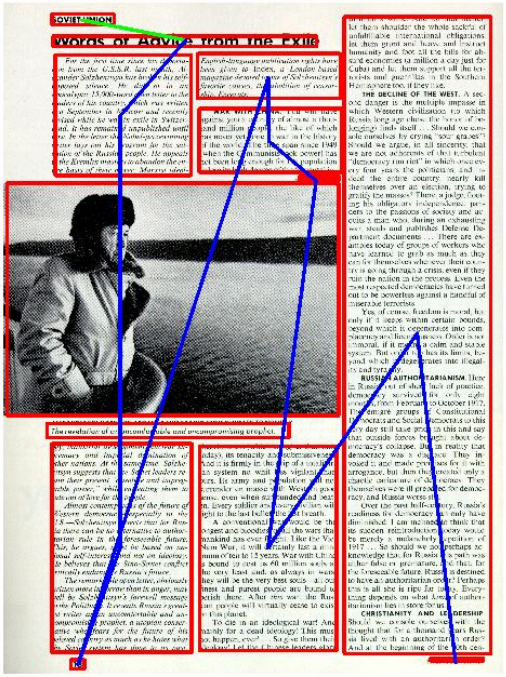
15.	12/16	8/10
16.	11/11	7/7
17.	7/11	5/7
18.	5/14	12/12
19.	1/4	2/2
20.	0/2	1/1
Gesamt	**131/191**	**110/119**

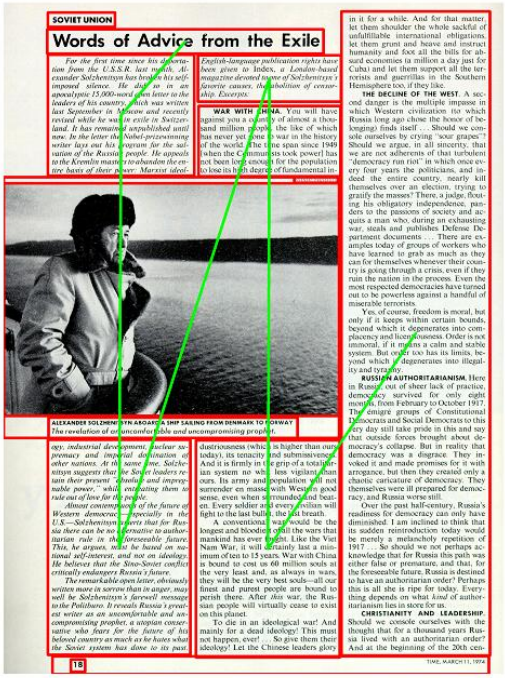
Ergebnis der Verarbeitung



Referenzdaten




SOVIET UNION
Words of Advice from the Exile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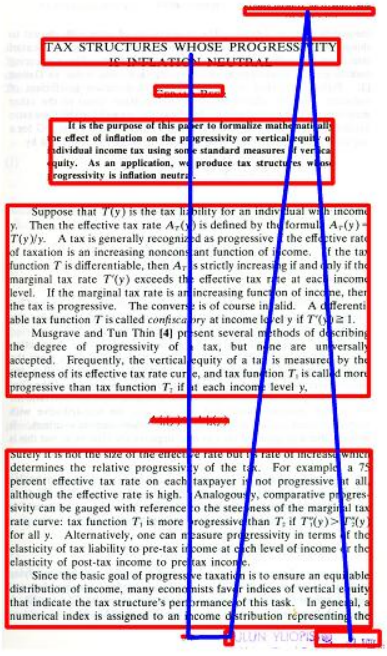


TAX STRUCTURES WHOSE PROGRESSIVITY IS INFLATION NEUTRAL

It is the purpose of this paper to formalize mathematically the effect of inflation on the progressivity or vertical equity of individual income tax using some standard measures of vertical equity. As an application, we produce tax structures whose progressivity is inflation neutral.

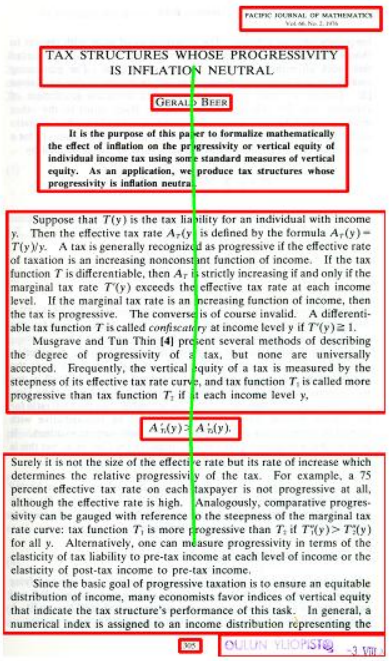
Suppose that $T(y)$ is the tax liability for an individual with income y. Then the effective tax rate $A_T(y)$ is defined by the formula $A_T(y) = T(y)/y$. A tax is generally recognized as progressive if the effective rate of taxation is an increasing nonconstant function of income. If the tax function T is differentiable, then A_T is strictly increasing if and only if the marginal tax rate $T'(y)$ exceeds the effective tax rate at each income level. If the marginal tax rate is an increasing function of income, then the tax is progressive. The converse is of course invalid. A differentiable tax function T is called *confiscatory* at income level y if $T'(y) \geq 1$.

Musgrave and Tun Thin [4] present several methods of describing the degree of progressivity of a tax, but none are universally accepted. Frequently, the vertical equity of a tax is measured by the steepness of its effective tax rate curve, and tax function T_1 is called more progressive than tax function T_2 if at each income level y,

$$A_{T_1}(y) \geq A_{T_2}(y).$$

Surely it is not the size of the effective rate but its rate of increase which determines the relative progressivity of the tax. For example, a 75 percent effective tax rate on each taxpayer is not progressive at all, although the effective rate is high. Analogously, comparative progressivity can be gauged with reference to the steepness of the marginal tax rate curve: tax function T_1 is more progressive than T_2 if $T_1'(y) > T_2'(y)$ for all y. Alternatively, one can measure progressivity in terms of the elasticity of tax liability to pre-tax income at each level of income or the elasticity of post-tax income to pre-tax income.

Since the basic goal of progressive taxation is to ensure an equitable distribution of income, many economists favor indices of vertical equity that indicate the tax structure's performance of this task. In general, a numerical index is assigned to an income distribution representing the



PACIFIC JOURNAL OF MATHEMATICS
Vol. 66, No. 2, 1976

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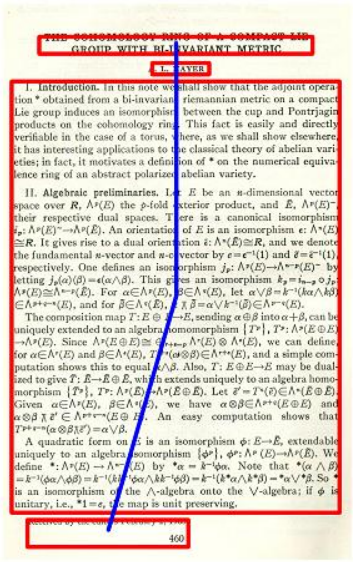


THE COHOMOLOGY RING OF A COMPACT LIE GROUP WITH BI-INVARIANT METRIC

A. L. BYRR

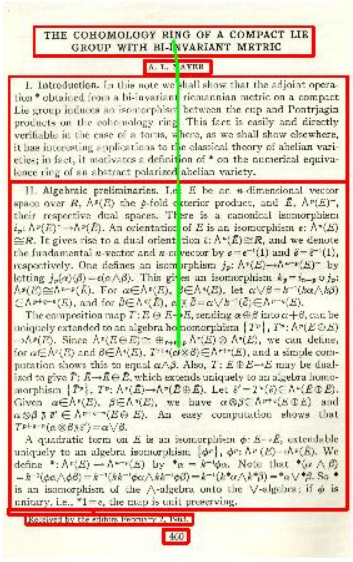
I. Introduction. In this note we shall show that the adjoint operation * obtained from a bi-invariant riemannian metric on a compact Lie group induces an isomorphism between the cup and Pontrjagin products on the cohomology ring. This fact is easily and directly verifiable in the case of a torus, where, as we shall show elsewhere, it has interesting applications to the classical theory of abelian varieties; in fact, it motivates a definition of * on the numerical equivalence ring of an abstract polarized abelian variety.

II. Algebraic preliminaries. Let E be an n-dimensional vector space over R, $\Lambda^p(E)$ the p-fold exterior product, and $\hat{E}$, $\Lambda^p(E)^\wedge$ their respective dual spaces. There is a canonical isomorphism $i_p: \Lambda^p(E)^\wedge \to \Lambda^p(\hat{E})$. An orientation of E is an isomorphism $\varepsilon: \Lambda^n(E) \cong R$. It gives rise to a dual orientation $\hat{\varepsilon}: \Lambda^n(\hat{E}) \cong R$, and we denote the fundamental n-vector and n-covector by $e = \varepsilon^{-1}(1)$ and $\hat{e} = \hat{\varepsilon}^{-1}(1)$, respectively. One defines an isomorphism $j_p: \Lambda^p(E) \to \Lambda^{n-p}(E)^\wedge$ by letting $j_p(\alpha)(\beta) = e(\alpha \wedge \beta)$. This gives an isomorphism $k_p = i_{n-p} \circ j_p: \Lambda^p(E) \cong \Lambda^{n-p}(\hat{E})$. For $\alpha \in \Lambda^p(E)$, $\beta \in \Lambda^q(E)$, let $\alpha \vee \beta = k^{-1}(k\alpha \wedge k\beta) \in \Lambda^{p+q-n}(E)$, and for $\hat{\beta} \in \Lambda^q(\hat{E})$, let $\alpha \vee \hat{\beta} = \alpha \vee k^{-1}(\hat{\beta}) \in \Lambda^{p-n}(E)$.

The composition map $T: E \oplus E \to E$, sending $\alpha \oplus \beta$ into $\alpha + \beta$, can be uniquely extended to an algebra homomorphism $\{T^*\}$, $T^*: \Lambda^p(E \oplus E) \to \Lambda^p(E)$. Since $\Lambda^p(E \oplus E) \cong \sum_{q+r=p} \Lambda^q(E) \otimes \Lambda^r(E)$, we can define, for $\alpha \in \Lambda^r(E)$ and $\beta \in \Lambda^s(E)$, $T^{r,s}(\alpha \otimes \beta) \in \Lambda^{r+s}(E)$, and a simple computation shows this to equal $\alpha \wedge \beta$. Also, $T: E \oplus E \to E$ may be dualized to give $\hat{T}: \hat{E} \to \hat{E} \oplus \hat{E}$, which extends uniquely to an algebra homomorphism $\{\hat{T}^*\}$, $\hat{T}^*: \Lambda^*(\hat{E}) \to \Lambda^*(\hat{E} \oplus \hat{E})$. Let $\hat{\varepsilon}' = \hat{T}^*(\hat{\varepsilon}) \in \Lambda^*(\hat{E} \oplus \hat{E})$. Given $\alpha \in \Lambda^r(\hat{E})$, $\beta \in \Lambda^s(\hat{E})$, we have $\alpha \otimes \beta \in \Lambda^{r+s}(\hat{E} \oplus \hat{E})$ and $\alpha \otimes \beta \wedge \hat{\varepsilon}' \in \Lambda^{r+s-n}(\hat{E} \oplus \hat{E})$. An easy computation shows that $T^{r+s-n}(\alpha \otimes \beta \wedge \hat{\varepsilon}') = \alpha \vee \beta$.

A quadratic form on E is an isomorphism $\phi: E \to \hat{E}$, extendable uniquely to an algebra isomorphism $\{\phi^*\}$, $\phi^*: \Lambda^p(E) \to \Lambda^p(\hat{E})$. We define $*: \Lambda^p(E) \to \Lambda^{n-p}(E)$ by $*\alpha = k^{-1}\phi\alpha$. Note that $*(\alpha \wedge \beta) = k^{-1}(\phi\alpha \wedge \phi\beta) = k^{-1}(k k^{-1}\phi\alpha \wedge k k^{-1}\phi\beta) = k^{-1}(k^n \alpha \wedge k^n \beta) = \alpha \vee *\beta$. So $*$ is an isomorphism of the $\wedge$-algebra onto the $\vee$-algebra; if ϕ is unitary, i.e., $*1 = e$, the map is unit preserving.

Received by the editors January 2, 1974.



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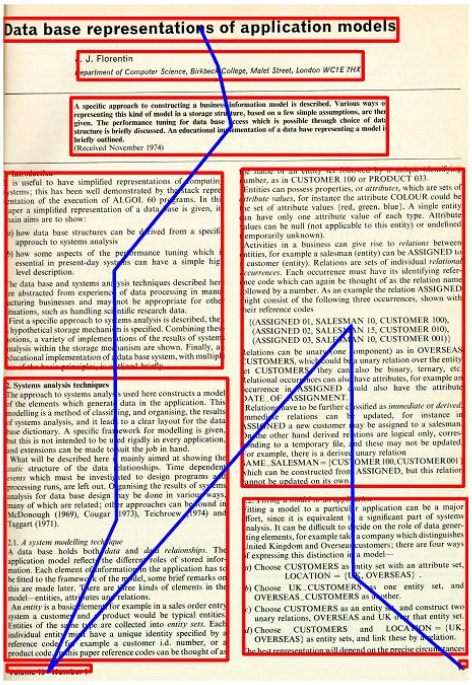
Data base representations of application models

J. J. Florentin

Department of Computer Science, Birkbeck College, Malet Street, London WC1E 7HX

A specific approach to constructing a business information model is described. Various ways of representing this kind of model in a storage structure, based on a few simple assumptions, are then given. The performance tuning for data base access which is possible through choice of data structure is briefly discussed. An educational implementation of a data base representing a model is briefly outlined.

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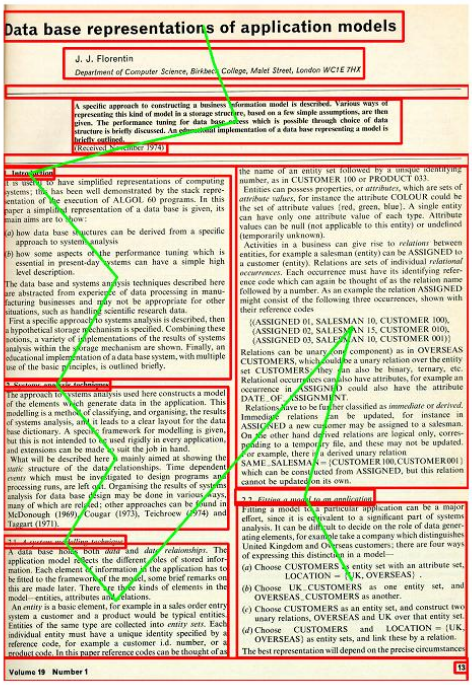
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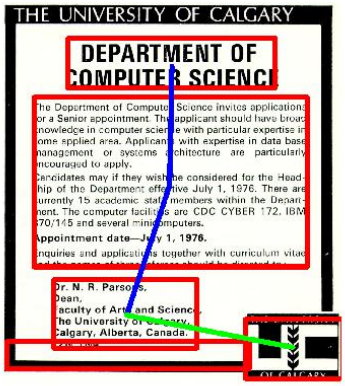
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Enquiries and applications together with curriculum vitae and the names of three referees should be directed to:

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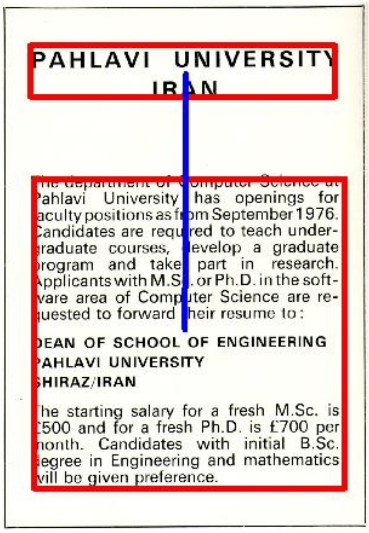

PAHLAVI UNIVERSITY
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Pahlavi University has openings for faculty positions as from September 1976. Candidates are required to teach undergraduate courses, develop a graduate program and take part in research. Applicants with M.Sc. or Ph.D. in the software area of Computer Science are requested to forward their resume to:

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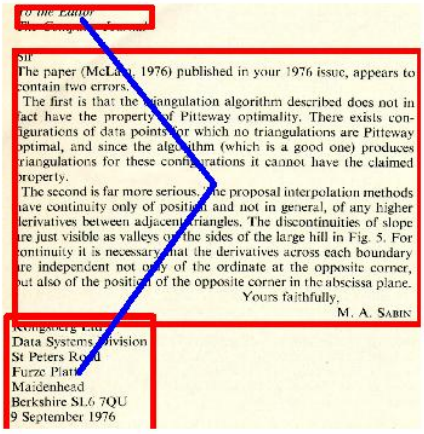

To the Editor

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The paper (McLaren, 1976) published in your 1976 issue, appears to contain two errors.

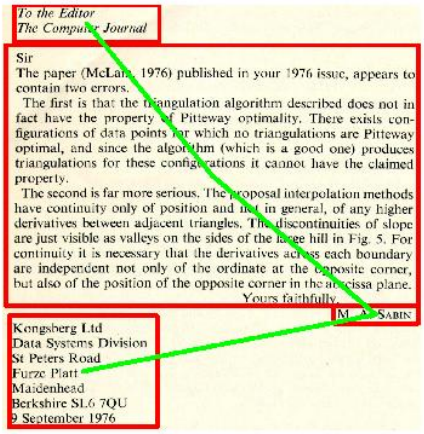
The first is that the triangulation algorithm described does not in fact have the property of Pitteway optimality. There exists configurations of data points for which no triangulations are Pitteway optimal, and since the algorithm (which is a good one) produces triangulations for these configurations it cannot have the claimed property.

The second is far more serious. The proposal interpolation methods have continuity only of position and not in general, of any higher derivatives between adjacent triangles. The discontinuities of slope are just visible as valleys on the sides of the large hill in Fig. 5. For continuity it is necessary that the derivatives across each boundary are independent not only of the ordinate at the opposite corner, but also of the position of the opposite corner in the abscissa plane.

Yours faithfully,

M. A. SABIN

Kongsberg Ltd
Data Systems Division
St Peters Road
Furze Platt
Maidenhead
Berkshire SL6 7QU
9 September 1976



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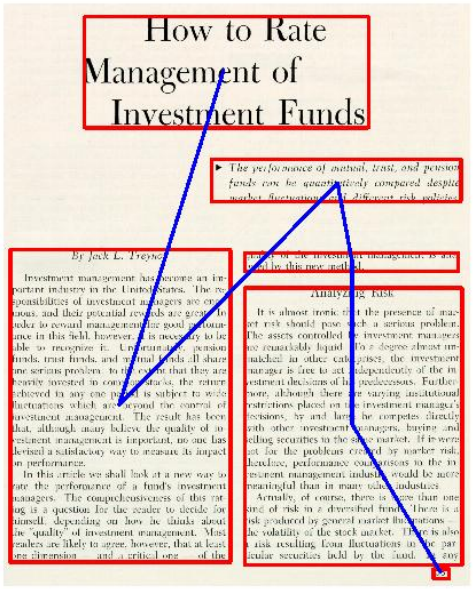
How to Rate Management of Investment Funds
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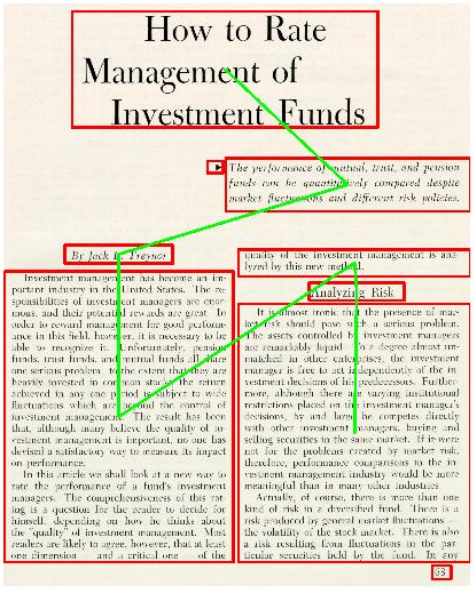
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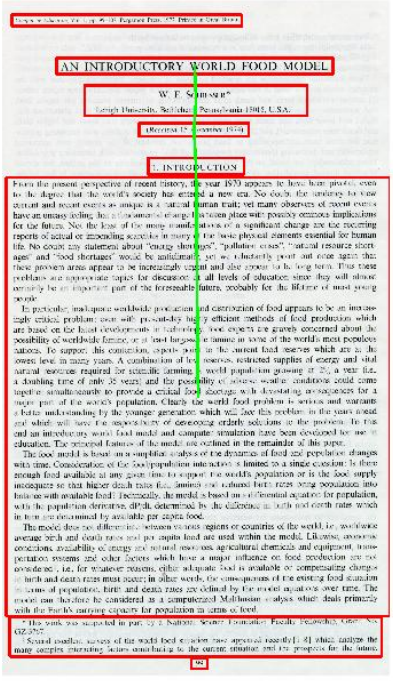
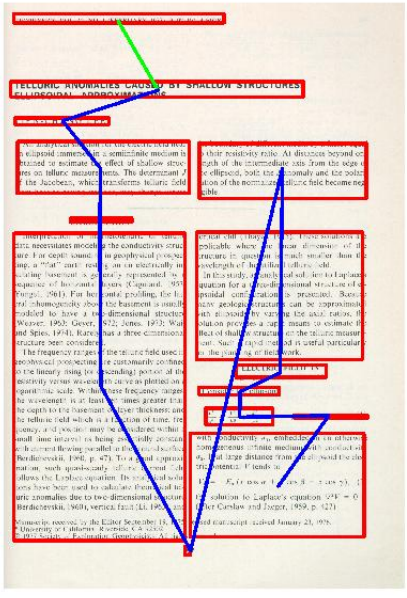
Analyzing Risk

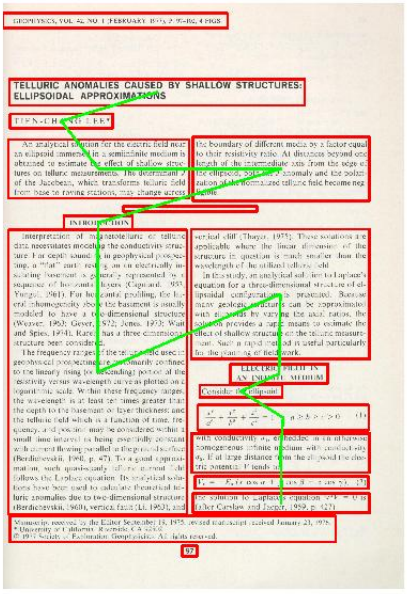

AN INTRODUCTORY WORLD FOOD MODEL


AN INTRODUCTORY WORLD FOOD MODEL


Leirikoulu tulee Suomeenkin
MATTI LIINONEN


Leirikoulu tulee Suomeenkin
MATTI LIINONEN
Oppilaskoskoiset työtavat


TELLURIC ANOMALIES CAUSED BY SHALLOW STRUCTURES


TELLURIC ANOMALIES CAUSED BY SHALLOW STRUCTURES: ELLIPSOIDAL APPROXIMATIONS

Ei kainalosauvoja yrityksille

Teollisuuden keskusliiton kansantalousosaston osastopäällikkö, kauppat.maist. Markku Kääriäisellä on näkölalapaikka suomalaisen teollisuuden kannattavuuskysymyksen. Lehdellemme myöntämässään haastattelussa os.pääll. Kääriäinen pitää tärkeänä mm. yritystoiminnan perusedellytysten parantamista sekä yhteistyötä teollisuuden ja KTM:n kanssa teollisuuspolitiikkaa luotaessa. Suomalaista viejää hän moittii kaavamaiseksi, mutta pitää yritysjohtome koulutustasoa hyvänä.

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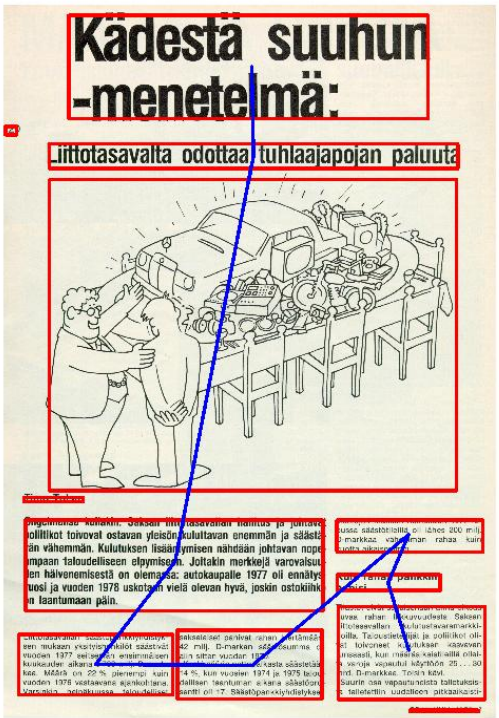
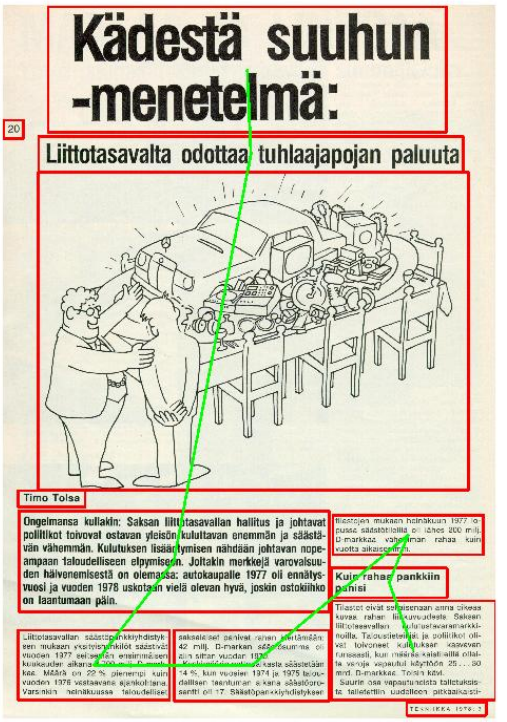
Timo Tolsa



Kädestä suuhun -menetelmä:

Liittotasavalta odottaa tuhlaajapojan paluuta



Kädestä suuhun -menetelmä:

Liittotasavalta odottaa tuhlaajapojan paluuta

Timo Tolsa

Ongelmansa kullakin: Saksan liittotasavallan hallitus ja johtavat poliitikot toivovat ostavan yleisön kuluttavan enemmän ja säästävän vähemmän. Kulutuksen lisäämyksen nähdään johtavan nopeampaan taloudelliseen elpymiseen. Joltakin merkkejä varovalsuuden halvenemisestä on olemassa: autokaupalle 1977 oli ennätysvuosi ja vuoden 1978 uskotaan vielä olevan hyvä, joskin ostokiihko on laantumaan päin.

Kuin rahan pankkiin palisi


1. luokan vaihtoehto sinulle, jolla on autoetu:
Sinulle joka arvostat Volvon kestävyyttä, turvallisuutta ja ajettavuutta tarjoaa 1. autoluokka valittavaksesi kaikkiaan viisi erilaista Volvo 66 ja Volvo 343 -mallia. Kaikki autoja, joista automatiikka, hyvät hallintalaitteet ja tasapainoinen rakenne tekevät erinomaisia ajettavia.
Vaihtoehtoja 2. autoluokkaan:
Vaihtoehtoja 3. autoluokkaan:
VOLVO
Suomessa 50 vuotta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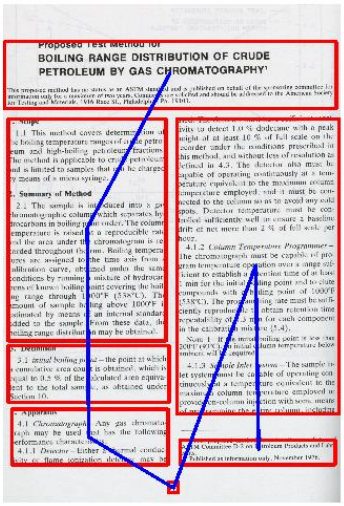
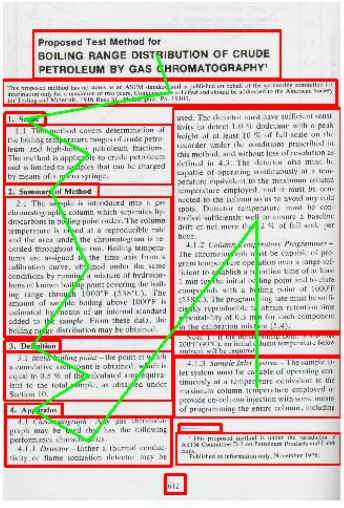

Proposed Test Method for
BOILING RANGE DISTRIBUTION OF CRUDE PETROLEUM BY GAS CHROMATOGRAPHY


Proposed Test Method for
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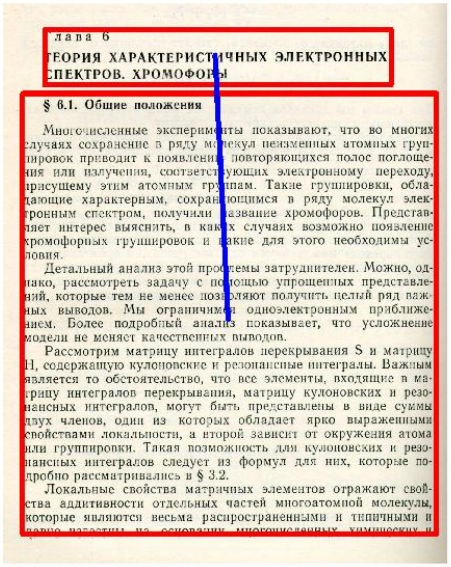


Глава 6

ТЕОРИЯ ХАРАКТЕРИСТИЧНЫХ ЭЛЕКТРОННЫХ СПЕКТРОВ. ХРОМОФОРЫ

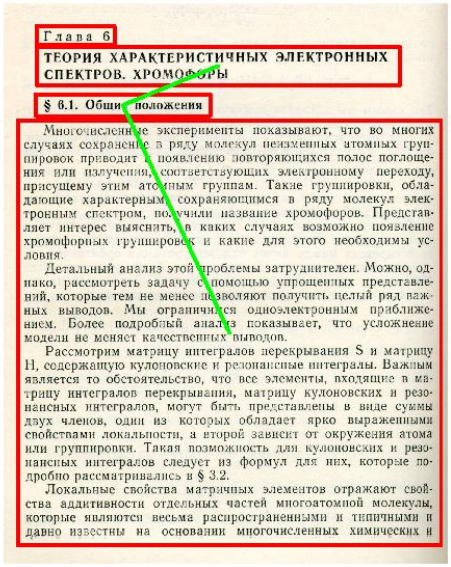
§ 6.1. Общие положения

Многочисленные эксперименты показывают, что во многих случаях сохранение в ряду молекул неизменных атомных группировок приводит к появлению повторяющихся полос поглощения или излучения, соответствующих электронному переходу, присущему этим атомным группам. Такие группировки, обладающие характерным, сохраняющимся в ряду молекул электронным спектром, получили название хромофоров. Представляет интерес выяснить, в каких случаях возможно появление хромофорных группировок и какие для этого необходимы условия.

Детальный анализ этой проблемы затруднителен. Можно, однако, рассмотреть задачу с помощью упрощенных представлений, которые тем не менее позволяют получить целый ряд важных выводов. Мы ограничимся одноэлектронным приближением. Более подробный анализ показывает, что усложнение модели не меняет качественных выводов.

Рассмотрим матрицу интегралов перекрывания S и матрицу H, содержащую кулоновские и резонансные интегралы. Важным является то обстоятельство, что все элементы, входящие в матрицу интегралов перекрывания, матрицу кулоновских и резонансных интегралов, могут быть представлены в виде суммы двух членов, один из которых обладает ярко выраженными свойствами локальности, а второй зависит от окружения атома или группировки. Такая возможность для кулоновских и резонансных интегралов следует из формул для них, которые подробно рассматривались в § 3.2.

Локальные свойства матричных элементов отражают свойства аддитивности отдельных частей многоатомной молекулы, которые являются весьма распространенными и типичными и давно известны на основании многочисленных химических и



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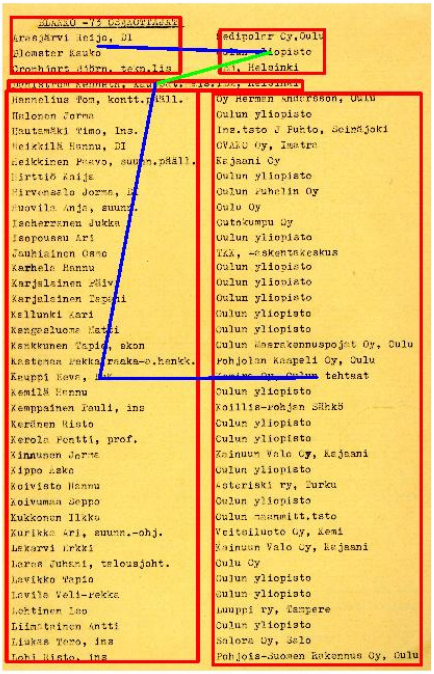
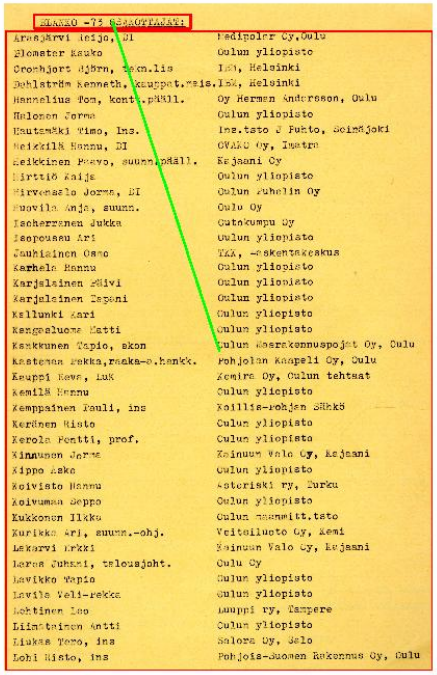


Hannelius Tom, kontt.päll.	Oy Hermen Andersson, Oulu
Hulonen Jorma	Oulun yliopisto
Hautamäki Timo, Ins.	Ins.tsto J Puhto, Seinäjoki
Heikkilä Hannu, DI	GVAKO Oy, Imatra
Heikkinen Paavo, suunn.pääll.	Kajaani Oy
Hirttiö Kaija	Oulun yliopisto
Hirvensalo Jorma, DI	Oulun Puhelin Oy
Huovila Anja, suunn.	Oulu Oy
Iacherranen Jukka	Outokumpu Oy
Isopousau Ari	Oulun yliopisto
Jauhiainen Osmo	TAK, -keskuntakeskus
Karhela Hannu	Oulun yliopisto
Karjalainen Pälvi	Oulun yliopisto
Karjalainen Tapani	Oulun yliopisto
Kellunki Kari	Oulun yliopisto
Kengpaluoma Matti	Oulun yliopisto
Kaakkunen Tapio, akon	Oulun Maarakennuspojat Oy, Oulu
Kastenan Pekka,rnaka-o.henkk.	Pohjolan Kaapeli Oy, Oulu
Kauppi Kaws, LuK	Kemira Oy, Oulun tehtaat
Kemilä Hannu	Oulun yliopisto
Kemppainen Pauli, ins	Koillis-rokjan SähkS
Kerdnen Risto	Oulun yliopisto
Kerola Pentti, prof.	Oulun yliopisto
Kinnunen Jorma	Kainuun Valo Oy, Kajaani
Kippo Aake	Oulun yliopisto
Koivisto Hannu	Asteriski ry, Turku
Koivuman Seppo	Oulun yliopisto
Kukkonen Ilkka	Oulun taanmitt.tsto
Kurikka Ari, suunn.-ohj.	Veitsiluoto Oy, Kemi
Lakarvi Arkki	Kainuun Valo Oy, Kajaani
Laros Juhani, talousjoht.	Oulu Oy
Lavikko Vapio	Oulun yliopisto
Lavila Veli-rakka	Oulun yliopisto
Lehtinen Leo	Luuppi ry, Tampere
Liimatainen Antti	Oulun yliopisto
Liukas Yrjö, ins	Salora Oy, Salo
Lohi Risto, ins	Pohjois-Suomen Rakennus Oy, Oulu



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Ekmeter Kauko	Oulun yliopisto
Eronhjort Björn, tekn.lis	Ins, Helsinki
Fohlström Kenneth, kauppat.mais.	Lsk, Helsinki
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1.2 Kameraaufnahmen

Das Ergebnis der Layouterkennung sowie der Bestimmung der Vorlesereihenfolge auf stark verzerrten Aufnahmen, ermittelt mit Hilfe des vorgestellten Algorithmus. Die Auswertung wurde analog zur im Abschnitt 1.1 beschriebenen Methode durchgeführt.

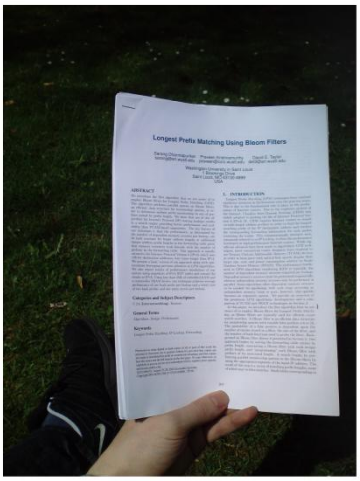
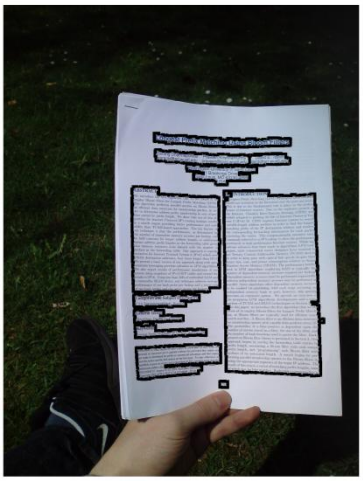
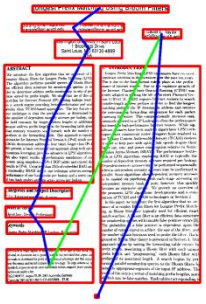
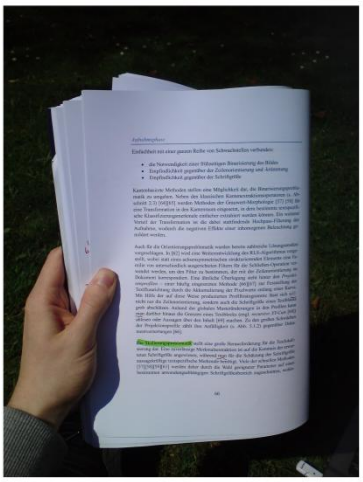
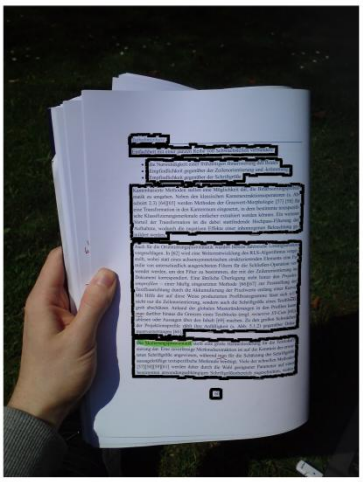
Tabelle 2: Auswertung der Layouterkennung auf den speziell angefertigten Dokumentenaufnahmen.

Dokument	**Regionen** Korrekt/Gesamt	**Vorlesereihenfolge** Korrekt/Gesamt
1.	8/12	8/11
2.	6/6	5/5
3.	6/8	5/7
4.	8/8	6/7
5.	10/11	12/12
6.	9/9	8/8
7.	6/7	6/9
8.	7/7	5/6
9.	3/5	4/4
10.	11/13	9/9
11.	8/9	6/7
12.	10/18	7/7
13.	9/9	8/8
14.	6/6	5/5

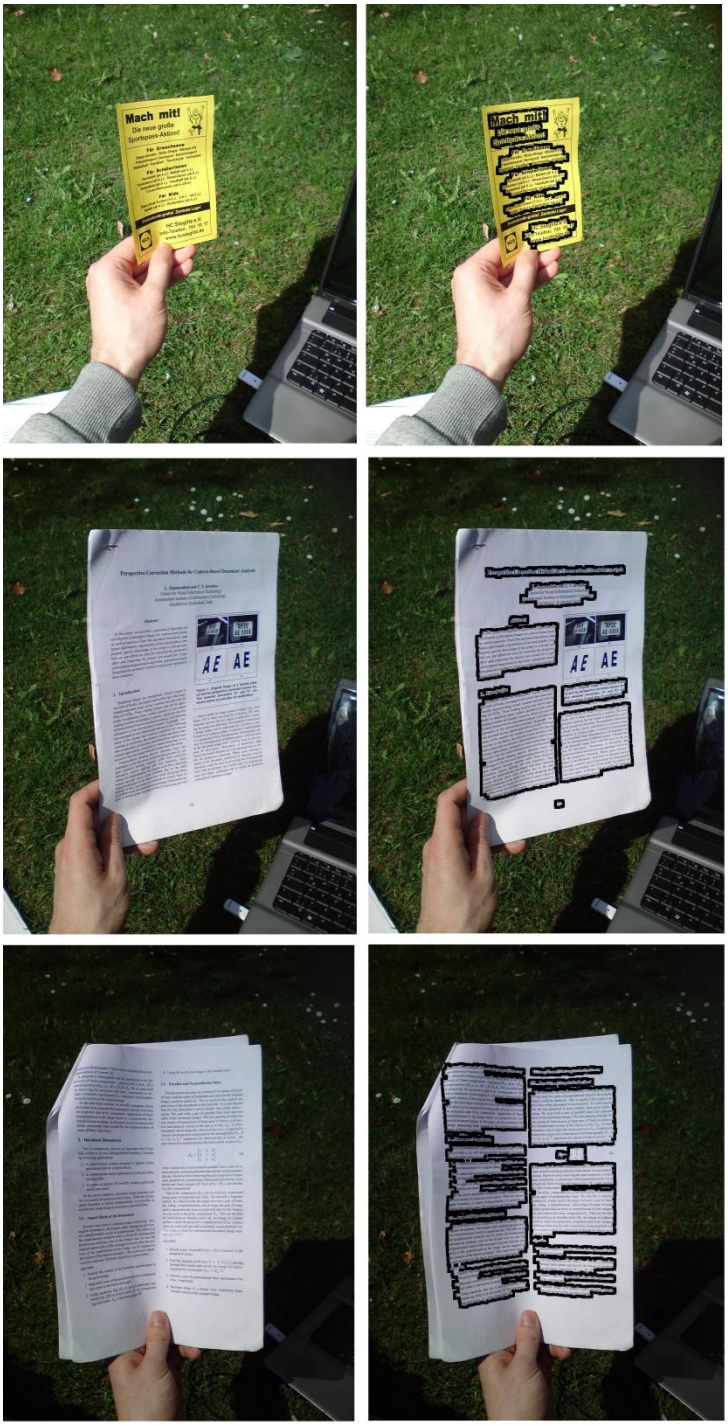
Kameraaufnahmen

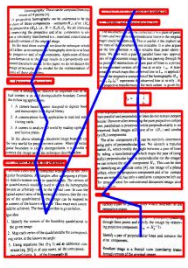
Alle Dokumente	**107/128**	**94/105**

Eingabebild ***Regionsgrenzen*** ***Vorlesereihenfolge***


Kameraaufnahmen





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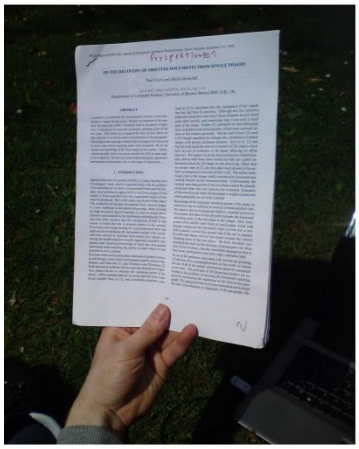
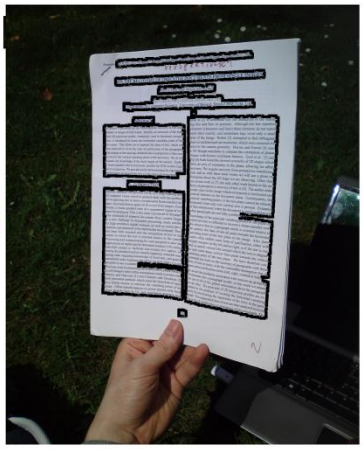
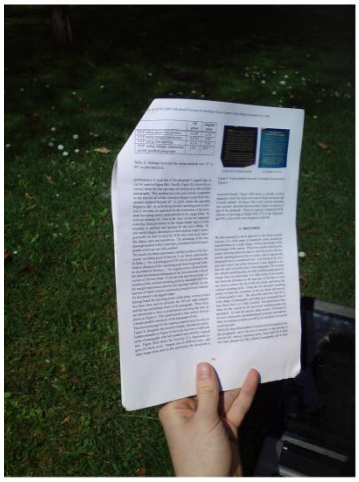
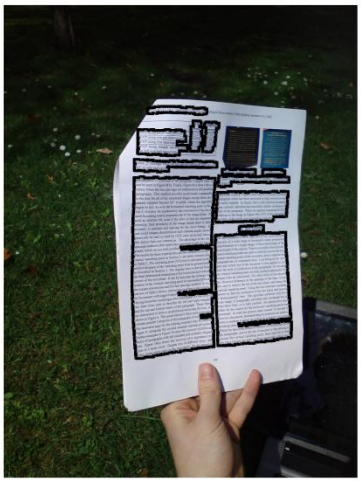
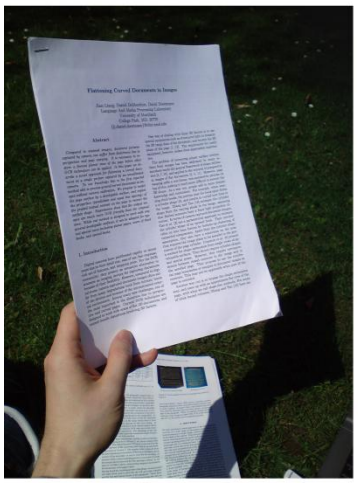
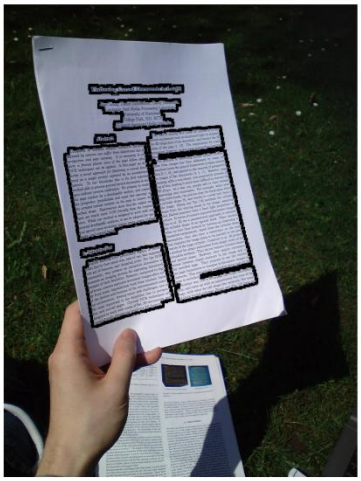
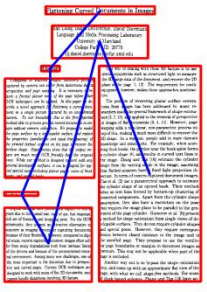
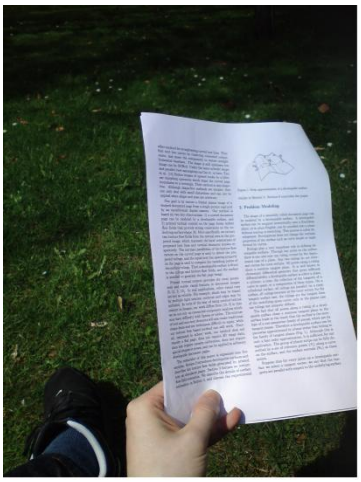
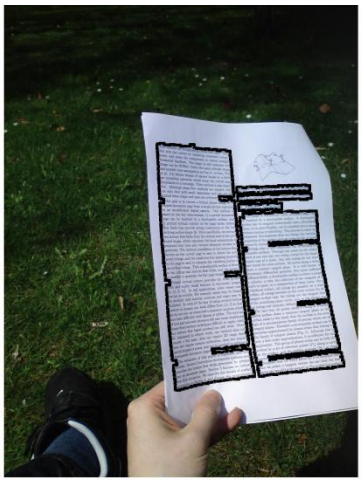







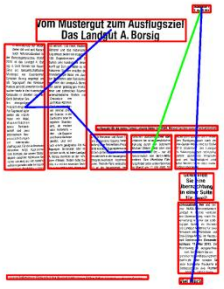
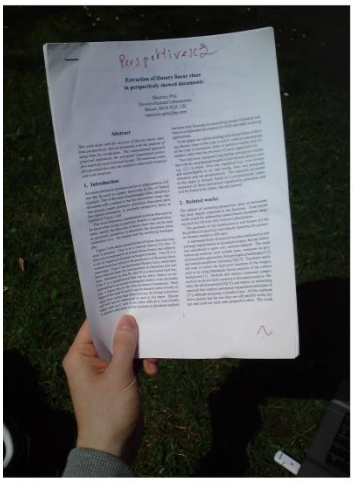
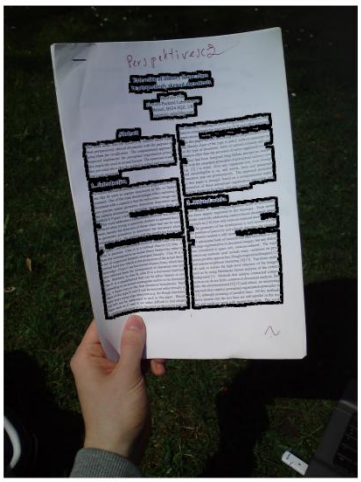
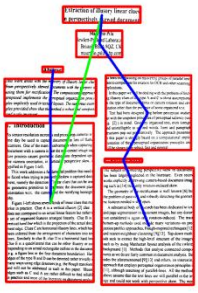




Kameraaufnahmen



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