



# In Silico Partial N<sub>2</sub> to NH<sub>3</sub> Conversion with a Light Atom Molecule

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 $N_2$  can be stepwise converted *in silico* into one molecule  $NH_3$ and a secondary amide with a bond activator molecule consisting only of light main group elements. The proposed  $N_2$ activating pincer-related compound carries a silyl ion (Si<sup>(+)</sup>) center as well as three Lewis acidic ( $-BF_2$ ) and three Lewis basic ( $-PMe_2$ ) sites, providing an efficient binding pocket for gaseous  $N_2$  within the framework of intramolecular frustrated Lewis pairs (FLP). In addition, it exhibits supportive secondary P–B and F···B contacts, which stabilize the structure. In the PSi<sup>(+)</sup>–N-N-BPenvironment the  $N\equiv N$  triple bond is extended from 1.09 Å to remarkable 1.43 Å, resembling a N–N single bond. The strongly activated N-N-fragment is prone to subsequent hydride addition and protonation steps, resulting in the energy efficient

#### Introduction

Small molecule activation is a key aspect in all areas of (bio)chemical sciences as it plays an equally central role in biological evolution and industrial catalysis, particularly regarding the geopolitical and ecologic relevance of generation and storage of renewable energy by water oxidation and CO<sub>2</sub> reduction to produce "green hydrogen" and other valuable products.<sup>[1,2]</sup> Nitrogen fixation, activation, splitting, and ultimately conversion into two ammonia molecules is at the heart of this science as it delivers all bio-accessible nitrogen on the planet, on the one hand biosynthetically by nitrogenases and on the other technically by the Haber-Bosch process, the latter consuming 1-2% of the global industrial energy and causing 2-3% of the global industrial CO<sub>2</sub>-production.<sup>[3–5]</sup> Heterogeneous N<sub>2</sub> to 2NH<sub>3</sub> conversion was since decades studied experimentally and computationally for a plethora of cluster and network structures<sup>[6-18]</sup> and finally realized also in homogeneous catalysis, employing small transition-metal containing compounds, although in low efficiencies so far.<sup>[19-25]</sup> Attempts to replace the transition metals resulted in the first boron-based bimolecular catalysts within the framework of frustrated Lewis pairs (FLP) or

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© 2022 The Authors. ChemPhysChem published by Wiley-VCH GmbH. This is an open access article under the terms of the Creative Commons Attribution Non-Commercial License, which permits use, distribution and reproduction in any medium, provided the original work is properly cited and is not used for commercial purposes. transfer of two hydrogen equivalents. The next hydride added causes the release of one molecule NH<sub>3</sub>, but leaves the ligand system as poisoned R<sub>3</sub>Si<sup>(+)</sup>–NH<sub>2</sub>–PMe<sub>2</sub> or R<sub>3</sub>Si<sup>(+)</sup>–NH<sub>3</sub> dead-end states behind. The study indicates that approximately tetrahedral constrained SiBP<sub>2</sub>-pockets are capable to activate N<sub>2</sub>, whereas the acid-rich SiB<sub>3</sub>- and SiB<sub>2</sub>P-pocktes, as well as the base-rich SiP<sub>3</sub>-pockets fail, hinting towards the high relevance of the acid-base proportion and relative orientation. The electronic structure of the N<sub>2</sub>-activated state is compared to the corresponding state of a recently published *peri*-substituted bond activator molecule featuring a PSi<sup>(+)</sup>–N–N–Si<sup>(+)</sup>P site (S. Mebs, J. Beckmann, *Physical Chemistry Chemical Physics* **2022**, *24*, 20953–20967).

by exploiting the ambiphilic nature of the boron atom having empty and filled orbitals under certain conditions (being in the  $B^{(II)}$  instead of the common  $B^{(III)}$  state, Scheme 1).<sup>[26-37]</sup> A recent computational study employed 2,3'-bipyridine to mediate intramolecular tetraboration of dinitrogen.<sup>[36]</sup> In a conceptual density functional theory (DFT) study on a peri-substituted bond activator molecule, we could recently show that N<sub>2</sub>-splitting could potentially also be conducted intra-molecularly by tripodal light atom molecules containing only earth abundant C, H, P, and Si atoms.<sup>[38]</sup> Simpler molecular systems combining a silyl cation with a phosphine group are capable to activate the C–F bond.  $^{\mbox{\tiny [27]}}$  Unfortunately, the previous tripod-systems are only capable to accomplish two of the four crucial steps on the way from gaseous  $N_2$  to  $2NH_3$ : 1. Fixation and activation of  $N_2$ , 2. Splitting of the N=N triple bond, 3. Release of one molecule NH<sub>3</sub>, 4. Release of the second molecule NH<sub>3</sub>.<sup>[38]</sup> Since these perisubstituted compounds contain two silyl cations in which N<sub>2</sub> is stiffly bound within a PSi<sup>(+)</sup>-N-N-Si<sup>(+)</sup>P pocket, the pre-final  $R_3Si-NH_3$  states, in which both  $NH_3$  are bound to  $Si^{(+)}$ , have to be considered as poisoned dead-end states. Attempts to replace the strongly electrophilic silyl cations by less strong boron atoms (e.g. as  $-BF_2$  groups) failed for this compound class. In addition, the structure contains bulky acenaphthyl backbone fragments, as well as bulky -SiPh<sub>2</sub> and -PPh<sub>2</sub> side groups, potentially hampering gaseous N<sub>2</sub> to access the binding pocket ("active site"). Two modifications are thus implemented in our new molecular design to address these issues, which, however, still should follow the basic approach to be principally accessible by means of synthetic chemistry. Instead of the bulky backbones and side groups, we use here a smaller pincerrelated ligand system (Scheme 1) and the -Si<sup>(+)</sup>Ph<sub>2</sub> group is replaced by -BF<sub>2</sub> groups. Replacing -PPh<sub>2</sub> by -PMe<sub>2</sub> is not realistic in the laboratory, since organic dimethyl-phosphines



Scheme 1. Activation of N<sub>2</sub> by intermolecular frustrated Lewis pairs, hypovalent borylene compounds, diboranes, and intramolecular frustrated Lewis pairs using *peri*-substituted or pincer-related bond activator systems.

are often pyrophoric and toxic gases, but was done here *in-silico* to significantly reduce computational efforts. For the same reason, the study was conducted using a smaller basis-set size than previously,<sup>[38]</sup> vide *infra*. Since the energetic trends were identical for both levels of theory in our first study and the methyl groups are located at the outer areas of the pincer-

related molecules, likely neither affecting  $N_2$  uptake nor subsequent chemical transformations, both simplifications seem justified. Another simplification relates to the reaction scheme. It is not feasible in a hand-designed computational study to consider all potential attack sites for protons (including N or P atoms) and hydride ions (including N or B atoms) in each



reaction step in such complex ligand systems, but we nevertheless attempted to thoroughly trace back all likely candidates and routes in our study. In the course of finding the most probable route, we focused on two aspects: 1. Although adding multiple H<sup>(+)</sup> or H<sup>(-)</sup> ions successively or simultaneously is not fully excluded, we expected (and found) an iterative  $H^{(-)}\!\!-\!\!H^{(+)}\!\!-\!\!H^{(-)}\!\!-\!\!H^{(+)}\!\cdots$  route to be the most promising reaction scheme, being somewhat reminiscent to transfer of hydrogen equivalents via proton-coupled electron transfers (PCETs) in nature, starting with adding hydride as initial reduction step; 2. Once a clearly preferred binding site for  $H^{(+)}$  or  $H^{(-)}$  ions was observed, e.g. at N(2), we focused on the further stepwise reduction/protonation of that site and excluded other potential side-path. It can thus not be fully excluded that a potentially relevant side-branch of the reaction scheme was missed. All-inall, 44 structures have been optimized for that scheme, supplemented by calculations of structural variants and a potential energy scan of the N2-adduct. In our first N2-related DFT study we focused on N<sub>2</sub> uptake and activation with the goal to finally break the N≡N triple bond and on describing in detail the different structural motifs / electronic states using a variety of qualitative and quantitative real-space bonding indicators (RSBIs), including Atoms-In-Molecules (AIM<sup>[39-41]</sup>) bond topology, non-covalent interactions index (NCI<sup>[42]</sup>) contactpatterns, and electron localizability indicator (ELI-D<sup>[43]</sup>) representations.[38] In the current study we use the RSBIs to compare the N2-activated state of the peri-substituted and pincer-related bond activator molecules.

### **Methods Section**

Structural optimizations were conducted at the curta supercomputer system of the Freie Universität Berlin for 49 models applying density functional theory (DFT) at the b3pw91-D3/6- $31 + G^{*[44,45]}$  level of theory using Gaussian16, <sup>[46]</sup> two of which failed to converge, see below and in the Supporting Information. London dispersion was modelled using Grimme's GD3BJ parameters (b3pw91-D3)<sup>[47]</sup> and the dichloromethane environment was mimicked by the COSMO solvation model.[48] Subsequent normal mode (or frequency) analysis proved all but two of the optimized structures to be local minima; models 1b or **6g** have negative frequencies at -26 or -34 cm<sup>-1</sup>, which represent negligible phononic bands. Attempts to re-optimize those two structures in order to find lower energy states failed.  $\Delta G$  values were extracted and used to set up a potential reaction scheme for partial N<sub>2</sub>-to-NH<sub>3</sub>-conversion. The  $\Delta$ G value of the crucial N<sub>2</sub>-adduct formation step was corrected twofold: First, the conversion from 1 atm standard state ( $\Delta G^{\circ}_{atm}$ ) to the 1 M standard state ( $\Delta G^{\circ}_{M}$ ) was done using  $\Delta G^{\circ}_{M} = \Delta G^{\circ}_{atm} + R_{1}T$  $\ln(R_2T^{\Delta n})$ with  $R_1 = 8.31447 J K^{-1} mol^{-1}$ ,  $R_2 =$ 0.08206 Latm  $K^{-1}$  mol<sup>-1</sup>, T = temperature in K, and n = change in number of moles,[49] causing a free enthalpy expense of 7.9 kJ mol<sup>-1</sup>. Second, the basis-set superposition error (BSSE) was estimated by counterpoise correction for the most relevant states. A potential energy scan (PES) was conducted for the N<sub>2</sub>adduct for a series of fixed N-N distances between 1.10 and 1.55 Å in 0.05 Å steps in order to disclose a potential transition state geometry. Moreover, the electronic structure of the lowest-energy N<sub>2</sub>-adduct was analyzed. The wavefunction (wfn) file was used for a topological analysis of the electron density according to the Atoms-In-Molecules (AIM<sup>[39-41]</sup>) space-partitioning scheme using AIM2000; [50] DGRID-5-1[51] was used to generate and analyze the Electron-Localizability-Indicator (ELI-D<sup>[43]</sup>) related real-space bonding descriptors applying a grid step size of 0.05 a.u. using the formatted checkpoint file (fchk). For ELI-D figures, additional grids of 0.12 a.u. step size were computed. NCI<sup>[42]</sup> grids were generated with NCIplot<sup>[52]</sup> for a grid step-size of 0.12 a.u. Structures are displayed with ChemCraft,<sup>[53]</sup> bond paths are displayed with AIM2000, NCI figures are displayed with VMD, [54] and ELI-D figures are displayed with Mollso.<sup>[55]</sup> AIM topology transcends the Lewis picture of chemical bonding as it also includes secondary intramolecular interactions. In addition, it provides atomic and fragmental charges and volumes. NCI discloses (extended) contact patches of non-covalent interactions. ELI-D, nicely complementing NCI,<sup>[56]</sup> discloses shapes and sizes of localized electron pair basins, e.g. core, bonding, or lone-pair, and the electron populations of those basins.

### **Results and Discussion**

Due to the complexity of the investigated structures, we use a specific nomenclature which should ease reading. According to this labeling scheme, the neutral starting state (or the R<sub>3</sub>SiH system, R=2-dimethylphosphino-6-difluoroboranoligand phenyl) is given the number 0, the single positive charged silyl ion "active state" after hydride abstraction is denoted as 1, all following states directly refer to the number of atoms added to the compound, e.g. 2 refers to the  $N_2$ -adduct (two extra atoms), **3** to the  $N_2 + H^{(-)}$ -state (three extra atoms), and so on. Accordingly, the last state, 8, refers to the addition of eight extra atoms, formally  $N_2 + 3H_2$ . Structural isomers of the same electronic state are highly relevant in this study; particularly regarding unwanted formation of dead-end states; they are denoted by small letters behind the number, e.g. 0a-d. The lowest energy or most reasonable isomer of each electronic state is displayed in the proposed reaction scheme for the "main route" towards NH<sub>3</sub> (see Figure 1 for structures and Figure 2 for free enthalpies), for simplicity only by their numbers, e.g. 0 instead of 0b, etc. In the main text, the isomers which are part of the proposed main route are accordingly labeled in a **0b(0)** like fashion. In figures and tables, reduction steps via adding hydride are colored blue, whereas protonation steps are colored red.

Synthesis of **0** (the ligand system) can result in four different structural isomers depending on the relative location of the three Lewis acid (LA, 'A',  $-BF_2$ ) and base (LB, 'B',  $-PMe_2$ ) sites as well as the relative orientation of the Si–H part, see Scheme 2, Figure 1 and Figure S1 in the Supporting Information. Defining a virtual plane through the three C atoms forming the Si–C bonds, the following conformations are possible: BBA–SiH–AAB (**0**a), BBA–HSi–AAB (**0**b(0)), BBB–SiH–AAA (**0**c), and

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**Figure 1.** Proposed main route for possible N<sub>2</sub>-uptake, subsequent proton-balanced reduction (transfer of hydrogen equivalents), and partial release of ammonia (one molecule). **0**: lowest energy neutral starting state. **1**: Quenched "Active state" after hydride abstraction. **2**: N<sub>2</sub>-activated state. **3**: Adding hydride at N(2). **4**: Adding proton at N(2). **5**: Adding hydride at N(2). **6**: Adding proton at N(1). **7**: Adding hydride at N(1). **8**: Adding proton at N(1). The  $\Delta G$  value for N<sub>2</sub>-adduct formation (+33 kJmol<sup>-1</sup>, step **1** $\rightarrow$ **2**) is corrected for 1 atm $\rightarrow$ 1 M standard state (+7.9 kJmol<sup>-1</sup>) and basis-set superposition error (BSSE, +22.5 kJmol<sup>-1</sup>), see Figure 2 for the corresponding enthalpy diagram. The  $\Delta G$  value of -258 kJmol<sup>-1</sup> (step **6** $\rightarrow$ **7**) is corrected for attractive H<sub>3</sub>N<sup>-</sup>H<sub>2</sub>N interaction (-40.5 kJmol<sup>-1</sup>) in **7**. Color code enthalpies: hydride abstraction and subsequently adding N<sub>2</sub> – black, hydride abstraction *via* purging with N<sub>2</sub> – purple, adding hydride – blue, adding proton – red.



Scheme 2. Schematic representation of possible structural variants of BBA–Si<sup>(+)</sup>–AAB (1 a(1)) or BBB–Si<sup>(+)</sup>–AAA (1 b). The four potential binding pockets for N<sub>2</sub> ("active sites") are highlighted by circles.

BBB-HSi-AAA (0d). The less symmetric 0a and 0b(0) are favored by  $\Delta G = 20-30 \text{ kJmol}^{-1}$  over the more symmetric **0 c** and **0d**, because both form one short Lewis pair -Me<sub>2</sub>P-BF<sub>2</sub>contact (d<sub>(P,B)</sub>=2.092 Å in **0a** and 2.070 Å in **0b(0)**) (Table S2). For all four isomers of state **0**, hydride abstraction using  $Ph_3C^{(+)}$ to form BBA–Si<sup>(+)</sup>–AAB (1 a(1)) or BBB–Si<sup>(+)</sup>–AAA (1 b) and Ph<sub>3</sub>CH is strongly exergonic ( $\Delta G = -150$  to -190 kJ mol<sup>-1</sup>, Table S6) as both cationic ligand systems exhibit three strong intra-molecular secondary interactions (Figure S1). 1 a(1) forms a P-Si bond  $(d_{(P,Si)} = 2.280 \text{ Å})$  and two P–B bonds  $(d_{(P,B)} = 2.063 \text{ and } 2.066 \text{ Å})$ , whereas **1b** forms three P–Si bonds  $(d_{(P,Si)} = 2.533, 2.535,$ 2.535 Å). These short contacts make the structural isomers of 1 rather guenched dead-end states than "active" states, which is a setback as hydride abstraction is a prerequisite for activating the ligand system in order to fix gaseous N2. Additionally, potential intra-molecular fluoride abstraction from a -BF2 side





**Figure 2.** Enthalpy diagram of proposed main route for possible N<sub>2</sub>-uptake, subsequent proton-balanced reduction (transfer of hydrogen equivalents), and partial release of ammonia (one molecule). State **2** is corrected for 1 atm $\rightarrow$ 1 M, as well as for BSSE (see Figure S9 for further details). State **7** is corrected for attractive H<sub>3</sub>N···H<sub>2</sub>N interaction. Color code enthalpies: hydride abstraction and subsequently adding N<sub>2</sub> – black, hydride abstraction *via* purging with N<sub>2</sub> – purple, adding hydride – blue, adding proton – red. Higher energy quenching states after initial hydride abstraction (e.g. by partial fluoride abstraction) are represented as green rhombi. Undesired protonation of –PMe<sub>2</sub> groups is represented as red rhombi. The blue rhombus represents adding hydride at N(1) instead of N(2).

group by the silyl cation to form Si–F and – <sup>(+)</sup>BF groups was addressed for different variants of 1a(1) and 1b, which resulted in higher energy structures for 1a(1) ( $\rightarrow$ 1c, 1d; Figure S2), or the starting Si–F dead-end structures returned to 1b *via* structural relaxation, excluding these detrimental side-paths. Notably, 1a(1) and 1b together provide four different types of binding pockets for N<sub>2</sub> (Scheme 2): Counting the central Si cation as Lewis acid (A), 1a(1) has an A<sub>2</sub>B<sub>2</sub>- and an A<sub>3</sub>B-pocket, whereas 1b has an AB<sub>3</sub>- and an A<sub>4</sub>-pocket. Adding N<sub>2</sub> to the two isomers of state 1 thus answers two questions: a) are the "active" states still capable to fix N<sub>2</sub>? b) if yes, which is the most efficient A:B-ratio for N<sub>2</sub>-fixation? For 1b, both N<sub>2</sub>-adduct optimizations failed as N<sub>2</sub> disappears from the binding pockets (not shown), excluding the Lewis acid rich A<sub>4</sub>-site and the Lewis base rich AB<sub>3</sub>-site from N<sub>2</sub>-activation. For 1a(1), both optimizations succeeded (Figure S3), resulting in a strongly endergonic N<sub>2</sub>-adduct formation process for the Lewis acid rich A<sub>3</sub>B-site  $(\Delta G = +239 \text{ kJmol}^{-1}, 2\text{ b})$ , but only a slightly endergonic reaction for the A<sub>2</sub>B<sub>2</sub>-site ( $\Delta G = +33 \text{ kJmol}^{-1}, 2a(2)$ ). Consequently, a solution of the starting compound 0 has to be purged with N<sub>2</sub>-gas *via* the hydride abstraction step in order to circumvent formation of state 1 and go directly from state 0 to state 2, and in addition, N<sub>2</sub>-fixation will only occur in the binding pocket containing two Lewis acids (Si<sup>(+)</sup> and B) and two Lewis bases (both P). Notably, the free enthalpy of this reaction 0 b(0) $\rightarrow$ 2 a(2) is strongly exergonic ( $\Delta G = -147 \text{ kJ mol}^{-1}$ , purple arrow in Figure 1).

Adding the first hydride to the N<sub>2</sub>-activated state 2a(2) either at N(1) (3a) or N(2) (3b(3)) immediately results in the release of one PMe<sub>2</sub> group, i.e. one of the two P–N bonds is

broken (Figures 1 and S3), which wasn't observed in the recently published Si2<sup>(2+)</sup>P2-variants.<sup>[38]</sup> We suspect that this circumstance likely makes later NH<sub>3</sub>-release also easier in the here presented Si<sup>(+)</sup>BP<sub>2</sub>-variants. Accordingly, adding the second hydride in a later step breaks the second P-N bond, vide infra. However, it also opens the -PMe<sub>2</sub> groups for later attack by protons, which causes the formation of unwanted sideproducts, potentially hampering further N<sub>2</sub>-reduction. Generally, the formation of detrimental B-H side products via adding hydride is much less likely than the formation of P-H side products via protonation due to the energetic cost of rehybridization transforming a planar  $C_{ring}BF_2$ - into a tetrahedral  $C_{ring}BF_2H$ -group. Formation of **3b(3)** ( $\Delta G = -50.6 \text{ kJ mol}^{-1}$ ) is strongly favored over **3a** ( $\Delta G = -4.3 \text{ kJmol}^{-1}$ ) or **3c** ( $\Delta G = +$ 1.9 kJ mol<sup>-1</sup>, unwanted B–H side product), thus  $2a(2) \rightarrow 3b(3)$  is considered as main route. We nevertheless calculated the subsequent protonation at N(1), N(2), and at a neighboring P atom starting from the optimized structures of 3a and 3b(3), resulting in six isomers of the electronic state 4, now formally comprising one molecule  $N_2$  and one molecule  $H_2$  (Figures 1 and S4). The largest free enthalpy gain was obtained in the reaction **3b(3)** $\rightarrow$ **4d(4)** ( $\Delta$ G = -67.2 kJ mol<sup>-1</sup>, H<sup>(-)</sup> and H<sup>(+)</sup> at N(2)), closely followed by unwanted protonation at the P atoms  $(\Delta G = -59.0 \text{ kJ mol}^{-1}$  (4f) and -49.5 kJ mol $^{-1}$  (4e)). With  $\Delta G =$ -8 to -23 kJmol<sup>-1</sup>, states **4a**-c are much less likely and thus not considered further.

Starting from 4d(4), the second hydride was added to N(1) (5a), N(2) (5b(5)), and a BF<sub>2</sub>-group (5c), the first two being strongly favored ( $\Delta G = -94.6$  and -86.6 kJ mol<sup>-1</sup>) over the last one ( $\Delta G = -17.4 \text{ kJ mol}^{-1}$ ). As mentioned above, this causes release of the second -PMe<sub>2</sub>-group (Figures 1 and S5). In addition, it causes a change in the bond topology for 5b(5) as the N(2)-BF<sub>2</sub>-bond is broken while a N(1)-BF<sub>2</sub> bond is formed. Although the N(1)-site is slightly preferred for second hydride addition over the N(2)-site by means of  $\Delta G$ , we focus on the path  $4d(4) \rightarrow 5b(5)$  because the following step (second protonation) strongly prefers the route  $5b(5) \rightarrow 6c(6)$  ( $\Delta G =$  $-43.3 \text{ kJmol}^{-1}$ ), i.e. adding the second hydride at N(2) and then the second proton at N(1), over routes starting from 5 a ( $\Delta G =$ -7.9 (**6a**) and -6.5 (**6b**) kJ mol<sup>-1</sup>, Figures 1 and S6). However, it has to be noted, that again proton attack of free –PMe<sub>2</sub> groups is also favored by  $\Delta G = -44.3$  (6 d) and -45.5 (6 e) kJ mol<sup>-1</sup>, so even if they won't fully hamper further N<sub>2</sub>-reduction, they likely will reduce the yields. Electronic state 6 formally comprises one molecule N<sub>2</sub> and two molecules H<sub>2</sub>.

Starting from **6 c(6)**, carrying one H-atom at N(1) and three H-atoms at N(2), the third hydride was added to N(1) (**7 a(7)**) or a free BF<sub>2</sub>-group (**7 b**), the latter again being energetically irrelevant ( $\Delta G = -13.8 \text{ kJ mol}^{-1}$ ). To our own surprise, adding the third hydride to N(1) caused the release of one NH<sub>3</sub>-molecule in the optimization process and is strongly favored ( $\Delta G = -258.3 \text{ kJ mol}^{-1}$ ). **7 c** represents the corresponding structurally optimized model lacking the released NH<sub>3</sub>-molecule (Figure S7). At this point, the reaction scheme couldn't be extended to the release of the second NH<sub>3</sub>-molecule, finally closing the cycle, because the NH<sub>2</sub>-fragment is strongly bound as bridging secondary amine in a Si<sup>(+)</sup>–NH<sub>2</sub>–B-fashion. Forma-

tion of hypothetical structure **8a(8)** carrying a Si–NH<sub>3</sub> group is already strongly endergonic ( $\Delta G = +78.7 \text{ kJmol}^{-1}$ ), so **7 c** might be considered as poisoned dead-end state. The same is potentially true for **8a(8)**, even if it could be accessed, since it exhibits a strong Si–NH<sub>3</sub> bond. It should be noted, however, that the reaction **8a(8)** + N<sub>2</sub> $\rightarrow$ **2a(2)** + NH<sub>3</sub> is formally exergonic ( $\Delta G = -53.4 \text{ kJmol}^{-1}$ ).

Figures 1 and 2 display the structures and enthalpies of the reaction scheme, which we propose to be the most likely path from gaseous N<sub>2</sub> to one molecule NH<sub>3</sub> and the poisoned endstate ("main route"). Purging the lowest energy isomer of the neutral starting state **0b(0)** with N<sub>2</sub> via hydride abstraction ideally results in formation of 2a(2), releasing thereby 147 kJmol<sup>-1</sup>, and preventing formation of the guenched state 1 a(1). Transfer of two hydrogen equivalents by stepwise adding hydride and subsequent protonation results in formation of 6c(6), exhibiting a R3Si<sup>(+)</sup>–NH(NH<sub>3</sub>) –BF<sub>2</sub>R bonding environment, in which both --PMe<sub>2</sub> groups are already detached from the N<sub>2</sub>fragment. The yield of 6c(6) depends on the relative amounts of unwanted protonation the released -PMe<sub>2</sub> groups (red rhombi in Figure 2), whereas unwanted H-BF<sub>2</sub> formation in the steps of adding hydride can probably be neglected. Adding the third hydride finally leads to the release of one molecule NH<sub>3</sub> and the remaining N atom within a R3Si<sup>(+)</sup>–NH<sub>2</sub>–BF<sub>2</sub>R bonding environment, which most likely is a dead-end state. Figure S8 shows the reaction scheme using the optimized structural geometries instead of line-drawings as shown in Figure 1.

Formation of transferable " $H^{(-)}$ " and " $H^{(+)}$ " by heterolytic cleavage of H<sub>2</sub> according to the reaction scheme:  $1/2B_2H_6 +$  $Tf^{(-)} + H_2 \rightarrow BH_4^{(-)} + TfH$  requires:  $\Delta G = 151.8$  kJ mol<sup>-1</sup>, summing up to 455 kJ mol<sup>-1</sup> for three hydrogen equivalents. Notably, the three pairs of reduction/protonation (transfer of one hydrogen equivalent) are considerably exergonic (-118, -130, -179 kJ mol<sup>-1</sup>), resulting in an overall energy gain form state **2 a(2)** to **8 a(8)** of -427 kJ mol<sup>-1</sup>, almost fully compensating the initial energy requirements of splitting H<sub>2</sub>.

In order to understand, to what extend the dative Me<sub>2</sub>P-BF<sub>2</sub> and rather ionic BF2-BF2 contacts at the opposite site of the molecule (orange arrows in Figures S1-7) are of relevance for N<sub>2</sub>-activation, the electronic states 0, 1, and 2 were calculated for a smaller model compound containing only two -PMe<sub>2</sub> groups and one  $-BF_2$  group (Figure S10), also building an  $A_2B_2$ pocket. The critical step  $(\mathbf{0}\rightarrow\mathbf{2})$  is still exergonic  $(\Delta G =$ -85 kJ mol<sup>-1</sup>; including an approximative  $\Delta G$  expense of  $+30 \text{ kJmol}^{-1}$  for the 1 atm $\rightarrow$ 1 M and BSSE corrections, the latter being calculated for the larger parent SiBP<sub>2</sub>-system) but considerably less pronounced than for the parent system with three LA and LB sites ( $\Delta G = -147 \text{ kJ mol}^{-1}$ ). Moreover, the smaller model compound offers the possibility of rotational isomerism, including potential structures which do not form a proper binding pocket for N<sub>2</sub> anymore, highlighting the relevance of intra-molecular interactions outside the binding pocket for structural stability and N<sub>2</sub>-adduct formation support. In order to understand, if the central Si<sup>(+)</sup> group could be replaced with a B atom, corresponding calculations were performed for the neutral B-centered ligand system, which of course lacks the initial "activation step" by hydride abstraction,



and the N<sub>2</sub>-adduct (Figure S11). The neutral ligand system exhibits three short P–B bonds (2.015, 2.032, 2.063 Å), also involving the central B atom, blocking the binding pocket and making N<sub>2</sub>-adduct formation considerably endergonic ( $\Delta G = 65 \text{ kJmol}^{-1}$ ; again including  $+ 30 \text{ kJmol}^{-1}$  as 1 atm $\rightarrow$ 1 M and BSSE correction estimate), excluding the use of boron at the central position in this molecular system.

As in the recently published study on the related *peri*substituted bond activator molecule<sup>[38]</sup> the potential energy scan (PES) on the N<sub>2</sub>-adduct (**2** a), applying restrained optimizations for a series of structures with fixed N–N distances, shows a smooth decrease of the molecular energy from  $d_{(N,N)} = 1.10$  Å to the minimum geometry at about 1.43 Å, and thus no indication for a transition state, suggesting that, once N<sub>2</sub> has entered the binding pocket/active site no further activation is needed (Figure S12).

# Geometric and Electronic Structure of the N<sub>2</sub>-Adduct

The studied pincer-related compound exhibits a PSi<sup>(+)</sup>-N-N-BP configuration in the N<sub>2</sub>-adduct (**2**a(**2**)), which stretches the N $\equiv$ N triple bond energy efficiently from 1.09 to 1.43 Å, surprisingly being even 0.01 Å longer than in the corresponding state of the recently published peri-substituted bond activator complex which exhibits a highly charged PSi<sup>(+)</sup>-N-N-Si<sup>(+)</sup>P environment and serves as reference here.<sup>[38]</sup> The *peri*-substituted bond activator complex was optimized at two different levels of theory in the previous study, employing the larger 6-311+G(2df,p) and the smaller  $6-31+G^*$  basis-set, the latter one being also used here. Table 1 collects relevant bond distances and angles, as well as torsion angles of the N<sub>2</sub>-containing binding pocket for all three models. It confirms that the difference in the N-N stretching between peri-substituted and pincer-related bond activator molecule is not due to the applied basis-set. Notably, the Si-N and one P-N bond in 2a(2) are 0.05 and 0.02 Å shorter compared to the corresponding bonds in the reference (one P-N bond is similar), and of course is the B-N bond in 2a(2) considerably shorter than a Si-N bond in the peri-substituted complex, suggesting overall slightly stronger bonding of the N atoms in 2a(2) than in the reference, despite being located in a less high charged environment. Both compound types, peri-substituted and pincer-related bond activator complex, show similar deviations from the ideal tetrahedral Si–N–N or P–N–N angles (dev(109.5°)) and from the ideal tetrahedral Si/P-N-N-Si/P torsion angles (dev(90°)), so the surprisingly large N–N bond activation in 2a(2) could rather be explained by the presumably smaller size of the binding pocket in the pincer-related compound, facilitating more efficient orbital overlap between the ligand system and N<sub>2</sub>, than by the superior kind or better relative positions of LA and LB atoms, but this remains speculative at this point.

Table 1 also comprises a set of topological and integrated RSBIs for the N–N, P–N, Si–N, and B–N bonds of the N<sub>2</sub>-activated states in the *peri*-substituted and pincer-related bond

activator complexes, derived from the electron and electronpair densities. The electron density (ED,  $\rho(\mathbf{r})_{bcp}$ ) at the bond critical point (bcp) as well as the respective curvature (Laplacian,  $\nabla^2 \varrho(\mathbf{r})_{bcp}$ ) and kinetic or total energy density over ED ratios (G/  $\rho(\mathbf{r})_{bcp}$ ,  $H/\rho(\mathbf{r})_{bcp}$ ) characterize the bonds to be weak or strong and covalent, polarized, or ionic. On a first glance, the bonding situation is quite similar for both N2-adducts. The homo-polar N–N bonds exhibit high  $\rho(\mathbf{r})_{bcp}$  values (above 2 eÅ<sup>-3</sup>), negative  $\nabla^2 \varrho(\mathbf{r})_{bcp}$  values (below  $-8 \text{ e}\text{\AA}^{-5}$ ), and  $|H/\varrho(\mathbf{r})_{bcp}| > |G/\varrho(\mathbf{r})_{bcp}|$ , qualifying them as strong and covalent. Bond ellipticities (E) close to zero suggest a cylindrical shape of the ED distribution along the N-N axis, thus no bending. The relative position of the bcp along the N–N axis  $(d_1/d)$  close to 0.5 and the Raub-Jansen-Index (RJI)<sup>[57]</sup> of 50–55% confirms that the bond is still homo-polar within the adducts. The RJI quantifies the relative electron populations of one ELI-D basin (e.g. N-N bonding basin) within the two (or more) AIM-atoms it is overlapping with, thereby indicating bond polarization. Notably, the N atoms accumulate tremendous amounts of charge  $(Q_{AIM}(E) =$ -1.3 to -1.5 e) in the process of adduct formation. The considerably stretched N-N bond, however, causes the corresponding ELI–D basin to be very small ( $V_{FLI} = 0.8 \text{ Å}^{-3}$ ) and to contain only low electron populations of about 1.1 e (N<sub>FLI</sub>). The high AIM atomic charge of the N atoms thus stems from the ELI-D basins of the P-N and Si/B-N basins, as well as from newly formed lone-pair-basins, see Figure S13 for details. The longer P-N, B-N, and Si-N bonds are characterized by lower  $\varrho(\mathbf{r})_{bcp}$  values (below 1.3 eÅ<sup>-3</sup>), positive  $\nabla^2 \varrho(\mathbf{r})_{bcp}$  values (3– 14 eÅ  $^{-5}$  ), and  $|G/\varrho(\textbf{r})_{bcp}| > |H/\varrho(\textbf{r})_{bcp}|$  , qualifying them as weaker and strongly polarized with increasingly dominant ionic bond contributions. Bond ellipticities of 0.1-0.2 suggest electron "smearing", thus slight bending. The bcp is closer to the less electronegative P, B, and Si atoms  $(d_1/d = 0.3-0.4)$ , and the RJI determine those bonds to be polarized-covalent (P-N; RJI = 82-83%) or dative (B/Si-N; RJI=93-95%). Notably, the ELI-D basins of the P-N bonds, which stem from the formerly lonepair basins of the P atoms, are smaller ( $V_{ELI}$ ), contain less electron populations (N<sub>ELI</sub>), and have a lower localizability at the attractor position of the basin ( $\gamma_{EL}$ ) than the corresponding basins of the B/Si-N bonds, which stem from the formerly lonepair basins of the N atoms in gaseous N2. This indicates that, despite the tremendous changes in the electronic structure of the N-N bond via adduct formation, the initial character of P/N lone-pair basins is much less affected.

The topological bond paths motif of **2a** is displayed in Figure 3a. It indicates that weak intra-molecular secondary interactions, such as  $H \rightarrow H$  contacts, play a minor role in stabilizing the binding pocket, whereas much stronger P–B and  $F \rightarrow B$  interactions are visible at the other side of the molecule. This is supported by the NCI, which shows extended areas of non-covalent contact patches (Figure 3b). AIM topology and NCI patches will of course be altered by replacing the  $-PMe_2$  groups, which are not accessible synthetically, by the larger  $-PPh_2$  groups. At an ELI–D value of 1.3 (Figure 3c) the small and weak N–N bonding basin is topologically almost separated from the adjacent P/B/Si–N bonding and N lone-pair basins, whereas the latter types are still fused, suggesting that



Table 1. Geometric and electronic bond descriptors for two N2-adducts. <sup>[a]</sup>						
model	basis-set	N(1)–N(2)	Si(1)—N(1)	Si(2)/B(2)N(2)	P(1)—N(1)	P(2)—N(2)
$     Si_2P_2 \\     Si_2P_2 \\     2 a(2) $	high Iow Iow	1.418 1.416 1.428	1.821 1.832 1.773	1.790 1.799 1.587	1.686 1.701 1.664	1.662 1.674 1.667
model	basis-set	dev(109.5°) (angles)	Si(1)—N(1)—N(2)	Si(2)—N(2)—N(1)	P(1)-N(1)-N(2)	P(2)-N(2)-N(1)
Si <sub>2</sub> P <sub>2</sub> Si <sub>2</sub> P <sub>2</sub> <b>2 a(2)</b>	high Iow Iow	-5.6 -5.6 -4.4	106.68 106.77 113.54	124.27 124.20 116.00	113.36 113.11 122.96	115.96 116.26 102.99
model	basis-set	dev(90°) (torsion)	Si(1)-N(1)-N(2)-P(2)	Si(1)—N(1)—N(2)—Si(2)	P(1)-N(1)-N(2)-P(2)	P(1)-N(1)-N(2)-Si(2)
Si <sub>2</sub> P <sub>2</sub> Si <sub>2</sub> P <sub>2</sub> <b>2 a(2)</b>	high Iow Iow	13.4 14.0 18.8	-100.61 -101.24 -84.58	106.22 106.68 57.77	71.32 70.95 125.93	-81.84 -81.13 -91.71
Si <sub>2</sub> P <sub>2</sub>	d [Å]	Q( <b>r</b> ) <sub>bcp</sub> [eÅ <sup>-3</sup> ]	$ abla^2 \varrho(\mathbf{r})_{bcp}$ [eÅ <sup>-5</sup> ]	ε	d <sub>1</sub> /d	Q <sub>AIM</sub> (E)
N(1)N(2) P(1)N(1) P(2)N(2) Si(1)N(1) Si(2)N(2)	1.418 1.686 1.662 1.821 1.790	2.04 1.24 1.29 0.74 0.78	8.7 3.9 5.8 8.5 9.6	0.01 0.19 0.19 0.12 0.13	0.50 0.39 0.39 0.39 0.40	-1.49/-1.43 2.70 2.77 2.90 2.89
2 a(2)	d [Å]	Q( <b>r</b> ) <sub>bcp</sub> [eÅ <sup>−3</sup> ]	$ abla^2 arrho(\mathbf{r})_{bcp}$ [eÅ <sup>-5</sup> ]	3	d <sub>1</sub> /d	Q <sub>AIM</sub> (E)
$ \begin{array}{c} N(1)-N(2) \\ P(1)-N(1) \\ P(2)-N(2) \\ Si(1)-N(1) \\ B(2)-N(2) \\ \\ Si_2P_2 \end{array} $	1.428 1.664 1.667 1.773 1.587 G/Q(r) <sub>bcp</sub> [ац]	2.02 1.20 1.23 0.77 0.93 H/Q(r) <sub>bcp</sub>	10.9 12.9 12.3 14.1 6.9 N <sub>ELI</sub> [e]	0.03 0.14 0.19 0.10 0.10 V <sub>ELI</sub> [Å <sup>3</sup> ]	0.51 0.38 0.38 0.39 0.32 Υειι	-1.50/-1.36 3.29 3.06 2.93 2.31 RJI [%]
N(1)-N(2) P(1)-N(1) P(2)-N(2) Si(1)-N(1) Si(2)-N(2) 2 a(2)	0.51 1.21 1.31 1.32 1.39 G/g(r) <sub>bro</sub>	-0.81 -0.99 -0.99 -0.52 -0.52 H/Q(r) <sub>bro</sub>	1.15 1.79 1.84 2.46 2.85 N <sub>FIL</sub>	0.8 2.6 2.9 4.8 5.6 V <sub>FII</sub>	1.56 1.67 1.66 1.75 1.73 Υ <sub>FL</sub>	50.6 82.5 81.7 93.9 94.5 RJI
N(1)–N(2) P(1)–N(1) P(2)–N(2) Si(1)–N(1) B(2)–N(2)	[a.u.] 0.51 1.55 1.52 1.63 1.30	[a.u.] -0.89 -0.80 -0.82 -0.35 -0.77	[e] 1.14 1.94 1.93 2.53 2.37	[Å <sup>3</sup> ] 0.8 3.2 3.1 4.6 4.0	1.56 1.67 1.67 1.74 1.84	[%] 54.6 83.4 82.3 93.8 93.4

[a] Bond distances in Å, angles and torsion angles in °, high: 6-311 + G(2df,p), low:  $6-31 + G^*$ ,  $\varrho(r)_{bcp}$ : ED at the bcp,  $\bigtriangledown^2 \varrho(r)_{bcp}$ : Laplacian,  $\varepsilon$ : bond ellipticity d<sub>1</sub>: distance atom(1)-bcp, Q(E): AIM charge of element E (E=N, P, Si/B),  $G/\varrho(r)_{bcp}$ ,  $H/\varrho(r)_{bcp}$ : kinetic and total energy density over  $\varrho(r)_{bcp}$  ratios,  $N_{ELV}$ ,  $V_{ELI}$ : electron populations and volumes the ELI–D basin,  $\gamma_{ELI}$ : ELI–D value at the attractor position, RJI: Raub-Jansen Index. Values for the Si<sub>2</sub>P<sub>2</sub>-systems stem from ref. [38].

electronically (and thus energetically), splitting the N–N bond becomes feasible. The absolute size of the N–N bonding basin is displayed in Figure 3d. The ELI–D distribution on the basin surface has (purple) maxima pointing along the other basin directions.

### Conclusions

According to our results (see also reference 38) for light-atom small-molecule design in the field of N<sub>2</sub> to NH<sub>3</sub> conversion with a single molecule, the following eight points are crucial:

- a) All four binding partners for N<sub>2</sub> should be arranged in an asclose-as-possible tetrahedral-like fashion to provide a polarized binding pocket.
- b) Only an A<sub>2</sub>B<sub>2</sub>-pocket with two Lewis acids (A) and two Lewis bases (B) is capable of energy efficient N<sub>2</sub>-fixation. It can't be replaced by A<sub>4</sub>-, A<sub>3</sub>B-, AB<sub>3</sub>-, or B<sub>4</sub>-pockets.



Figure 3. RSBI analysis of 2 a(2). a) AIM bond paths motif, b) NCI iso-surface at s(r) = 0.5, c) ELI–D localization domain representation at iso-value of 1.3, d) ELI–D distribution mapped on the N–N ELI–D bonding basin. Color code atoms: hydrogen – light gray, carbon – medium gray, phosphor – orange or red, silicon – light blue or gray, fluorine – green or brown, boron – light blue or brownish.

- c) Symmetric ABN–NBA coordination is superior over  $A_2N–NB_2$  coordination.
- d) The ligand system needs a certain degree of flexibility to accommodate for the electronic and structural changes in the  $N_2$ -binding area. However, for entropic reasons, the flexibility needs to be limited.
- e) If Si<sup>(+)</sup> centers are employed for N<sub>2</sub>-fixation, quenching of the activator molecule after initial hydride abstraction has to be prevented by purging the solution with gaseous N<sub>2</sub>.
- f) Silicon cations can only be replaced by the less electrophilic boron if  $N_2$ -fixation is supported by additional intramolecular secondary interactions, such as P–B or F…B dative bonds, outside the binding pocket, without initially quenching the starting state.
- g) Phosphor can't be replaced by nitrogen or arsenic, as the specific "softness" of phosphor in donating and accepting electrons is crucial for  $N_2$ -fixation and activation.
- h) Detrimental protonation of "free"  $-PMe_2$  groups has to be considered as these side-reactions might hamper further N<sub>2</sub>reduction. Undesired addition of hydride to "free"  $-BF_2$ groups should be much less critical. However, potential fluoride abstraction from  $-BF_2$  groups has to be considered if Si<sup>(+)</sup> centers are employed.

Taking these considerations into account, it should be possible to design a light atom molecular system which can facilitate full  $N_2$  to  $\rm NH_3$  conversion and is accessible by synthetic chemistry.



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# **Conflict of Interest**

The authors declare no conflict of interest.

## Data Availability Statement

The data that support the findings of this study are available from the corresponding author upon reasonable request.

**Keywords:** density functional calculations  $\cdot$  frustrated Lewis pairs  $\cdot$  nitrogen splitting  $\cdot$  *peri*-substituted systems  $\cdot$  real-space bonding indicators

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