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Key Points:
- We cataloged 94 basins on Mercury, 1.7 times more certain and probable basins than in previous works.
- We observe roughly half of the basin record, where basins older than Borealis are completely erased.
- Our results are consistent with a single impactor population that bombarded the surface of Mercury.

Supporting Information:
- Supporting Information S1

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Abstract
Mercury has one of the best-preserved impact records in the inner solar system due to the absence of an atmosphere and relatively unmodified ancient surface. However, our knowledge of the early impact record and the nature of the impacting projectiles are far from complete. To get a better understanding of the early impact history, we examined large impact basins (\(D \geq 300\) km) on Mercury. Here we cataloged 94 basins, 80 of which we classify as certain or probable, 1.7 times more than previously recognized. We re-evaluate the crater densities of basins using the buffered nonsparness correction technique, which we successfully applied for the Moon. In contrast with a previous study, we find that basins have a slightly higher \(N(300)\) crater density on Mercury than on the Moon, but similar \(N(500)\) basin densities. Based on these results and comparison with the Moon, we infer that no more than half of the basin record remains observable and basins older than Borealis have generally been erased from the basin record. Furthermore, we establish the stratigraphic relationships of basins based on \(N(25)\) crater frequencies, absolute model ages, and observations of crosscutting relationships. Similarly to our previous study on the Moon, we found no evidence for a change in the size-frequency distribution of the impacting population; thus, our results are consistent with a single impactor population that bombarded Mercury’s surface.

1. Introduction
Mercury has one of the best-preserved impact records in the inner solar system due to its relatively ancient surface and the absence of an atmosphere (Neukum et al., 2001; Spudis & Guest, 1988; Strom & Neukum, 1988). The goal of this paper is to reinvestigate basin and crater densities, use these to probe the early impactor population on Mercury, and compare these with the Moon. Although Mercury and the Moon appear similar at first glance, Mercury experienced higher rates of surface modification than the Moon, as a consequence of both volcanism (Byrne et al., 2018; Denevi et al., 2009; Head et al., 2011; Ostrach et al., 2015; Spudis & Guest, 1988; Whitten et al., 2014) and impact-related resurfacing processes (Braden & Robinson, 2013; Chapman et al., 2018; Fassett et al., 2011; Fassett, Head, Baker, et al., 2012; Kreslavsky et al., 2014; Neukum et al., 2001; Spudis & Guest, 1988; Strom & Neukum, 1988; Strom et al., 2011). The earliest geological mapping (Trask & Guest, 1975) of the planet revealed a variety of important differences compared to the Moon, regarding both the impact basin (\(D \geq 300\) km, where \(D\) is the basin diameter) and general cratering records, and its extensive volcanic plains.

Fassett, Head, Baker, et al. (2012) cataloged and characterized the basin population (\(D \geq 300\) km) on Mercury using data obtained by the MErcury Surface Space ENvironment, Geochemistry, and Ranging (MESSENGER) spacecraft early in its orbital mission and found 46 impact basins, which were classified into three groups: certain (20) and probable (26), as well as a 41 tentative. Many of these tentative basins were proposed based on Mariner 10 and telescopic observation images but could not be verified with the new MESSENGER data.

The nature and history of large impact basin formation on Mercury have been interpreted from two different viewpoints. The first is that the population of basins record a surge or increase in the impact rate during
the early history of the solar system, often called the Late Heavy Bombardment (LHB) (Bottke et al., 2012; Fassett, Head, Kadish, et al., 2012; Head et al., 2010; Marchi et al., 2012, 2013; Morbidelli et al., 2012; Stöffler & Ryder, 2001; Strom et al., 2005, 2015; Tera, 1974). This increase is usually suggested to occur between ~3.8 and 4.1 Gyr based on the dating of lunar samples (Stöffler & Ryder, 2001; Stöffler et al., 2006; Tera, 1974), though the intensity of the postulated change in the impact flux varies substantially between different workers. It has also been proposed that the LHB included impacts from an impactor population that was distinct from the later one, which would be revealed in a crater size-frequency distribution (CSFD), or production function (PF) that changed over time. Such a hypothesis was made based on an observed difference between the CSFDs of the oldest lunar and Mercurian surfaces and younger surfaces (Fassett, Head, Kadish, et al., 2012; Head et al., 2010; Strom et al., 2005, 2011, 2015). Strom et al. (2005, 2011, 2015) investigated the crater populations on the terrestrial bodies and proposed two different impactor populations: Population 1 and Population 2. They proposed that Population 1 impactors from the Main Asteroid Belt formed the oldest, heavily cratered surfaces on Mercury, Moon, and Mars during the LHB. They predicted that LHB began sometime before ~3.9 Gyr and lasted ~100 to 300 Myr. Subsequently, near-Earth objects dominated the Population 2 impactors that cratered younger lightly cratered terrains after 3.8–3.7 Gyr. Based on the CSFDs, they argued that a transition in impactor populations occurred between 3.9 and 3.8 Gyr.

These results were supported by a later CSFD study by Head et al. (2010). Head et al. (2010) determined two different populations of impactors with a transition during the Imbrian period at less than 3.9 Gyr, close to the formation time of the Orientale basin. Their conclusions were mainly based on the premare and postmare crater populations. In contrast to the study conducted by Head et al. (2010), Fassett, Head, Kadish, et al. (2012) normalized and summed the CSFDs of 30 key lunar basins assigned to the same chronostratigraphic period. Their results show a change in impactor population prior to the mid-Nectarian period, which would be consistent with an uptick of the cratering rate at 4.1 Gyr derived by Morbidelli et al. (2012).

The second view is that the basin population formed from an exponentially declining flux of planetesimals or planetesimal-derived debris following planetary accretion or an accretion tail scenario (Baldwin, 2006; Hartmann, 1995; Ivanov, 2008; Morbidelli et al., 2018; Neukum, 1983, 1985; Neukum & Ivanov, 1994; Werner, 2014; Zellner, 2017). This scenario involves a collisionally evolved impactor population, contributing to the cratering record within the inner solar system, where the crater PF remained unchanged over time (Neukum, 1983; Orgel et al., 2018). Indeed, Orgel et al. (2018) showed that the apparent difference in the shape of the CSFD of the oldest lunar surfaces in comparison to the younger surfaces could be explained by the incomplete accounting for the smallest craters on heavily or nonsparsely cratered old surfaces. A non-sparse crater population causes the incremental obliteration of the smaller diameter craters in heavily cratered terrains after 3.8–3.7 Gyr. Based on the CSFDs, they argued that a transition in impactor populations occurred between 3.9 and 3.8 Gyr.

Correct measurement, fitting, and interpretation of CSFDs on planetary bodies are critical for understanding the geological evolution of planetary surfaces. While the relative frequencies of craters can be used to establish relative ages for geological units, this information can also be converted to absolute model ages (AMAs) using a chronology function (CF), as established for the Moon from the radioisotope and exposure ages of lunar samples (Arvidson et al., 1978; Baldwin, 1971; Neukum, 1971, 1977, 1983; Neukum et al., 2001). This lunar cratering chronology can be extended for use on other planetary bodies by considering parameters such as the body’s surface gravity, material properties, and impact velocity (Neukum et al., 2001). Alternatively, Le Feuvre and Wieczorek (2008, 2011) and Marchi et al. (2011) calculate PFs and CFs from a combination of astronomical observations of probable impactors and dynamical calculations to estimate the impact rate. However, due to the lack of Mercurian samples, all current CFs for Mercury have substantial systematic uncertainty, which is then manifested in AMAs on Mercury.

Here, we re-examine the population of basins on Mercury as well as their superposed impact crater populations, as we also did for the Moon (Orgel et al., 2018). From this work, we re-examine the shape and nature of the PF on Mercury, which is critical for understanding early solar system dynamics as well as to estimate AMAs for these major geological events on Mercury. To analyze the superposed impact crater populations, we use the buffered nonsparseness correction (BNSC) (Kneissl et al., 2016; Orgel et al., 2018; Riedel et al., 2018) and the buffered crater counting (BCC) (Fassett & Head, 2008; Fassett, Head, Kadish,
et al., 2012) techniques. We also revisit the stratigraphic relationships of the basins based on crater densities and superposition observations. As part of this process, we establish a new basin catalog for Mercury. This list will serve as a useful basis for targeting for the upcoming BepiColombo mission.

2. Background

Observations from MESSENGER spacecraft data have enabled global re-examination of the cratering record of Mercury and characterization of its crater population for the first time. The new observations show a deficit in crater density in the crater diameter range of 20–128 km in heavily cratered terrains in comparison with the lunar highlands (Fassett et al., 2011; Strom et al., 2011; Strom & Neukum, 1988). However, the density of craters larger than 100 km is similar to the Moon. This may result from global resurfacing processes related to heavy bombardment and volcanism, where smaller craters are easily removed (Fassett et al., 2011; Marchi et al., 2013). Despite the fact that crater formation rates on Mercury are approximately 3 times higher than on the Moon for a given size. Consequently, the observed large craters and basins from the same impact size-frequency distribution (SFD) are larger on Mercury than on the Moon (Le Feuvre & Wieczorek, 2011; Fassett et al., 2011; Marchi et al., 2011; Strom et al., 2011; Strom et al., 2015).

Baker et al. (2011) and Baker and Head (2013) cataloged complex craters, protobasins, and peak-ring basins ($D \geq 50$ km) on Mercury and the Moon. Their findings for Mercury compared with the Moon were (1) the number of peak-ring basins and protobasins per unit area is higher, (2) the onset diameter of peak-ring basins is smaller, (3) the diameters of complex craters and peak-ring basins overlap more, and (4) complex craters are shallower. Moreover, clear multiring basins are absent on Mercury, which may be explained by (1) lithospheric relaxation, (2) postimpact volcanic resurfacing, or (3) failure to form multiring structures (Fassett, Head, Baker, et al., 2012; Chapman et al., 2018).

Generally, Mercurian basins are morphologically more degraded than the lunar basins and are commonly filled or partially filled with smooth plains. This is consistent with a more extended surface modification by volcanism and higher impact melt production (Baker & Head, 2013; Denevi et al., 2009; Ernst et al., 2015; Ostrach et al., 2012; Whitten & Head, 2015). Other surface degradation and obliteration processes may also play a role (e.g., Fassett et al., 2017), including the more abundant secondary craters on Mercury (Strom, 1977).

Mercurian basin margins are often outlined by tectonic features such as wrinkle ridges, high-relief ridges, and lobate scarps (Byrne et al., 2014, 2018; Strom et al., 1975); these help make the identification of basins easier. The origin of these compressional landforms (thrust-faults and/or folds) has generally been interpreted to be a result of global contraction of the planet. Often, these features postdate the volcanic plains and some of these landforms follow and verge the basin perimeter (Fegan et al., 2017).

It is currently thought that major effusive volcanic activity started on Mercury earlier than 4.1 Gyr and ceased around 3.5 Gyr (Byrne et al., 2016; Head et al., 2011; Ostrach et al., 2015), but the AMAs are highly model dependent. However, small regions of plains and explosive pyroclastic deposits could be as young as few hundred million years old (Denevi, Ernst, et al., 2018; Prockter et al., 2010; Thomas et al., 2014). The oldest interpreted volcanic units are the intercrater plains, which have a rough texture as well as high density of primary and secondary craters ($D < 15$ km) (Denevi, Ernst, et al., 2018; Denevi, Ernst, Whitten, et al., 2013; Head et al., 2009; Oberbeck et al., 1977; Spudis & Guest, 1988; Strom, 1977; Weider et al., 2015; Whitten et al., 2014; Wilhelms et al., 1976). The oldest and most heavily cratered intercrater terrains on Mercury have been estimated to be about 4.0–4.1 Gyr old (Marchi et al., 2013). Younger smooth plains exhibit a sparsely cratered surface covering 25% of the planet with a thickness between 0.5 and 4 km (Denevi et al., 2009; Denevi, Ernst, et al., 2018; Denevi, Ernst, Meyer, et al., 2013; Ernst et al., 2015; Head et al., 2009, 2011; Ostrach et al., 2015; Prockter et al., 2010; Trask & Guest, 1975; Whitten & Head, 2015). Smooth plains are often geographically coincident with impact basins (Caloris, Rembrandt, and numerous other basins in the northern and southern hemispheres); however, the northern smooth plains, which represent 9% of the surface, are not related to any clear large basin (Head et al., 2011). One explanation for the frequent relationship between smooth plains and basins is that large basin-scale impacts may have triggered mantle upwelling and enhanced the production of partial melt in the mantle, even some time after the impact event (Elkins-Tanton & Hager, 2005; Roberts & Barnouin, 2012).
3. Data and Methods

3.1. Data

The primary data for this study are optical images from MESSENGER’s Mercury Dual Imaging System (MDIS) (Chabot et al., 2016; Hawkins et al., 2007) with a variety of solar incidence and illumination azimuths mosaicked into a 166m/pixel global data set. Additionally, we used the color and enhanced color 665m/pixel global data set (Denevi et al., 2016; Denevi, Chabot, et al., 2018). Topography data from MESSENGER’s MDIS digital elevation model (665 m/pixel) (Becker et al., 2016) and Mercury Laser Altimeter (250 m/pixel) (Cavanaugh et al., 2007) served as the main topographic data sets. All data products are available from the Planetary Data System. The data were analyzed in ESRI ArcGIS 10.3.

We re-examined the basin catalog of Fassett, Head, Baker, et al. (2012), which was based on MESSENGER MDIS and Mercury Laser Altimeter data set. We also revisited previously unverified basins noted in Mariner-10 and telescopic observation studies (Tables 2 and 3). To find potential new basins, we inspected the available data sets at a large range of scales. For the recognition and qualitative analysis of the basins, we visually assessed the completeness of the basin rim, ejecta deposit, topography, and additional associated tectonic features, such as lobate scarps and wrinkle ridges. We classified the basins \((D \geq 300 \text{ km})\) as “certain” (central interior depression and >75% rim completeness), “probable” (central interior depression and >50% rim completeness), or “tentative” (central interior depression and <30% rim completeness), and these were inspected by several of the coauthors both independently and together. By percentage of rim completeness,

Figure 1. Different mapping approaches for the crater measurements. (a) Craters (red circles) were counted on basin rim and ejecta deposit remnants (black outline), excluding all areas resurfaced by the smooth plains (e.g., Rembrandt basin). (b) All craters were mapped inside the basin cavity (e.g., b102 basin).

Figure 2. Schematic of nonsparseness correction. (a) The aim is to determine the surface density \(\sigma_0\) of small craters. (b) The occurrence of a large crater halfway through the geologic history of the surface diminishes the accumulated population within its boundary. Externally to it, \(\sigma_0\) remains observable over the gray area. (c) Some region is resurfaced by the large craters' ejecta (one crater radius from the crater rim, craters marked with dark gray circles), the remaining area where \(\sigma_0\) is measurable is smaller. Note that if we choose the resurfaced area too large, this does not damage our measurement of \(\sigma_0\) providing sufficient area remains.
we mean that circular arcs or segments were qualitatively inferred to exist, not necessarily quantitatively measured that a prominent topographic signature of a rim remains. Prominent rim topography is rarely complete on Mercury at basin scales, even for some of the freshest basins. We used both optical and topographic data sets to identify basins; however, the topographic data proved to be the most useful. For consistency, we refer to named basins by the assigned basin names from the International Astronomical Union and the alphanumerical identifiers (e.g., b1, b2, and b3) used by Fassett, Head, Baker, et al. (2012). For the newly discovered basins, we assign new alphanumerical identifiers ≥b69.

### 3.2. CSFD Measurements

The CraterTools extension in ArcMap (Kneissl et al., 2011) was used to map the CSFDs for basins with diameters ≥25 km. We used two different mapping approaches for the crater measurements: (1) measuring craters on basin rims and ejecta deposits, excluding all areas resurfaced by smooth plains (Figure 1a), and (2) mapping all craters inside the basins’ rims, which only provides a lower limit on the accumulated superposed crater population due to resurfacing within the basins (Figure 1b). For calculating the count areas and resulting CSFDs for each basin, we used three different approaches. In the first two approaches, we used the BCC technique (Fassett & Head, 2008; Fassett, Head, Kadish, et al., 2012; Kneissl et al., 2015; Tanaka, 1982; Wichman & Schultz, 1989) applied to both mapping approaches, resulting in what we label as BCC1 and BCC2 CSFD measurements (Table 2). In some cases, the first mapping approach was not successful, because the basins are either fully or partially covered by volcanic plains of various thicknesses (e.g., Denevi et al., 2009; Denevi, Ernst, et al., 2018; Fassett, Head, Baker, et al., 2012; Whitten & Head, 2015), so we applied the second mapping approach.

The BCC technique includes all craters crosscutting the region of interest within a buffer. The buffer in this study is one crater radius radial from the crater rim, which is the region affected by ejecta. Orgel et al. (2018) have published this figure.

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**Figure 3.** Each crater is assigned to a reference area during buffered nonsparseness correction. In this sketch, there is a rectangular reference area with six differently sized Craters A–F, with Crater A being the largest and Crater F being the smallest crater. Individual craters affect the reference area by one crater radius from the crater rim. Therefore, the affected area by crater obliteration is two times a crater’s radius. For every crater under consideration, all larger craters and their surrounding ejecta deposit are discarded from the initial reference area. The remaining area is buffered by one crater radius of the crater, which is currently under examination. If the centroid of the crater is located inside the modified reference area, the investigated crater is included for the analysis. In addition, the reference area for each crater becomes smaller for correspondingly smaller crater sizes. Moreover, in this example, Crater E is excluded since it is located entirely on top of Crater A’s ejecta deposit. Consequently, some craters will be excluded during computation. Orgel et al. (2018) have published this figure.

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### Table 1

<table>
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<tr>
<th>Parameters Used for Equations (1) and (2) on the Moon and Mercury</th>
<th>Moon</th>
<th>Mercury</th>
<th>Reference</th>
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<td>42.5</td>
<td>1</td>
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<td>g (m/s²)</td>
<td>1.62</td>
<td>3.7</td>
<td>2</td>
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<td>D_{eq} (km)</td>
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<td>0.13</td>
<td>3 and 4</td>
</tr>
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<td>D_{ec} (km)</td>
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<td>11</td>
<td>3 and 4</td>
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<td>d (kg/m³)</td>
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<tr>
<td>f (kg/m³)</td>
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<td>2,700</td>
<td>1 and 4</td>
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<td>1.173</td>
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<tr>
<td>D (km)ᵃ</td>
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<td>25</td>
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ᵃCalculated values in italics. ᵇSource: 1, Le Feuvre and Wieczorek (2008); 2, Neukum and Ivanov (1994); 3, Neukum et al. (2001); and 4, Ivanov (2008).
their ejecta deposits (Kneissl et al., 2016; Orgel et al., 2018; Riedel et al., 2018; Figure 2). Each crater is assigned a buffered reference area that excludes regions that have been modified by subsequent impacts; thus, the reference area becomes smaller for correspondingly smaller crater sizes (Figure 3). Details of the techniques, selection of buffer parameters, and improvements in the resulting data sets can be found in Figure 4.

Figure 4. Global distribution of basins on Mercury determined from MESSENGER MDIS 166-m/pix data and MDIS DEM 665m/pix resolution data. The basins were classified as (1) certain (solid line), (2) probable (dashed line), and (3) tentative (dotted line). (a) Global distribution of basins in equidistant cylindrical projection. (b) Polar stereographic projection of the north polar region and (c) the south polar region with lines of longitude shown in 30° increments. The reference body is a sphere of 2,440 km in radius.
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<td>1</td>
<td>b42</td>
<td>Probable</td>
<td>745 ± 186</td>
<td>190 ± 42</td>
<td>94 ± 21</td>
<td>292</td>
<td>μ 4.09 ± 0.14</td>
<td>μ 3.87 ± 0.27</td>
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<td>171.1</td>
<td>426</td>
<td>Y</td>
<td>P</td>
<td>&gt; Caloris</td>
<td>c</td>
<td>b45</td>
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<td>Certain</td>
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<td>112 ± 31</td>
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<td>155</td>
<td>μ 4.14 ± 0.10</td>
<td>μ 3.84 ± 0.25</td>
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<td>90 ± 22</td>
<td>81</td>
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<td></td>
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<td>67.1</td>
<td>386</td>
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<td>P</td>
<td>&gt; Rachmaninoff, b72</td>
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<td>μ 4.24 ± 0.24</td>
<td>μ 3.95 ± 0.21</td>
<td>70.5</td>
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<td>848</td>
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<td>Y</td>
<td>&gt; b95, b55, Chong-Gauguin, Vy-Asa, Goethe</td>
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<td>Certain</td>
<td>165 ± 55</td>
<td>104 ± 15</td>
<td>90 ± 10</td>
<td>59</td>
<td>μ 4.24 ± 0.42</td>
<td>μ 3.95 ± 0.30</td>
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<td>146 ± 73</td>
<td>87 ± 27</td>
<td>8</td>
<td>μ 3.99 ± 0.11</td>
<td>μ 3.80 ± 0.06</td>
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<td>N(25) BCC (2)</td>
<td>Factor (%)</td>
<td>AMA (Neukum et al., 2001)</td>
<td>AMA (Le Feuvre &amp; Wieczorek, 2011)</td>
<td>Lat. (°)</td>
<td>Lon. (°)</td>
<td>Diameter (km)</td>
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**Table 2 Continued**

| # | Mercury basins | Confidence | N(25) BNSC | N(25) BCC (1) | N(25) BCC (2) | Factor (%) | AMA (Neukum et al., 2001) | AMA (Le Feuvre & Wieczorek, 2011) | Lat. (°) | Lon. (°) | Diameter (km) | Visibility | Stratigraphy | Topography | Optical data | Note |
|---|---|---|---|---|---|---|---|---|---|---|---|---|---|---|---|
| 39 | b94 | Probable | 87 ± 25 | 86 ± 27 | 19.2 | −60.2 | 364 | Y | N | — | d |
| 40 | b101 | Probable | 86 ± 27 | 85 ± 12 | −0.8 | 149.5 | 531 | Y | P | — | d |
| 41 | b74 | Probable | 86 ± 16 | 84 ± 20 | 17.5 | −152.3 | 687 | Y | N | > Tolstoj | d |
| 42 | Andal-Coleridge | Certain | 85 ± 12 | 84 ± 20 | −73.5 | 149.1 | 452 | Y | Y | — | b |
| 43 | b33 | Certain | 84 ± 20 | 84 ± 14 | 17.5 | −152.3 | 687 | Y | N | > b27 | b |
| 44 | Budh | Certain | 83 ± 27 | 83 ± 27 | 50.7 | 92.3 | 318 | Y | P | — | b |
| 45 | b3 | Probable | 83 ± 27 | 83 ± 27 | 50.7 | 92.3 | 318 | Y | P | — | b |
| 46 | b38 (Sana) | Certain | 83 ± 15 | 66 ± 11 | 13.3 | −6.9 | 485 | Y | Y | — | a |
| 47 | b36 (Lennon-Picasso) | Certain | 82 ± 7 | 82 ± 7 | 13.3 | 48.4 | 1426 | Y | N | > b36 | c |
| 48 | Matisse-Repin | Certain | 82 ± 16 | 64 ± 8 | 5.8 | −0.064 | 10.1 | 84.7 | 317 | Y | Y | > Raphael, b102 | a |
| 49 | b39 | Certain | 81 ± 26 | 81 ± 19 | 6.4 | 134.7 | 308 | Y | P | > Caloris | b |
| 50 | Tolstoj | Certain | 81 ± 17 | 77 ± 14 | 15.6 | 21.0 | 1404 | Y | P | > b36 | b |
| 51 | b30 (Calder-Hodgkins) | Certain | 80 ± 7 | 80 ± 7 | 15.6 | 21.0 | 1404 | Y | P | > b36 | b |
| 52 | b40 | Certain | 80 ± 26 | 77 ± 24 | 6.4 | 134.7 | 308 | Y | P | > Caloris | b |
| 53 | b75 | Certain | 84 ± 18 | 78 ± 24 | −0.8 | −96.7 | 332 | Y | N | — | d |
| 54 | b95 | Certain | 84 ± 18 | 78 ± 24 | 6.4 | 134.7 | 308 | Y | P | > Caloris | b |
| 55 | b11 | Certain | 73 ± 42 | 129 ± 49 | 15.6 | 21.0 | 1404 | Y | P | > b36 | b |
| 56 | b12 | Probable | 73 ± 24 | 79 ± 19 | 4.1 | 76.3 | 594 | Y | N | Undistinguishable relationship with b18 | b |
| 57 | b37 (Aneirin) | Certain | 71 ± 21 | 56 ± 16 | 4.1 | 76.3 | 594 | Y | N | Undistinguishable relationship with b18 | b |
| 58 | b36 | Certain | 71 ± 15 | 53 ± 8 | 27 ± 30 | 442 | Y | Y | — | a |
| 59 | b80 | Probable | 69 ± 17 | 69 ± 17 | 27 ± 30 | 442 | Y | Y | — | a |

**Continued**
### Table 2 Continued

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</table>

Note: Large Mercurian basins ranked by crater densities using buffered nonsparseness correction (BNSC) and buffered crater counting (BCC), respectively. Discrepancies between N(25) and relative stratigraphy are marked with italics. Six basins (from b60 to b49) at the bottom of Table 2 are out of the sequence due to the paucity of craters or large uncertainty on the crater density measurement.

AMAs can be fit to any of the CSFDs that we derived via the BCC and BNSC techniques. However, we present AMAs that are fit to the BNSC-derived CSFDs, because of the improvement in the measurement of crater frequencies in the smaller diameter bins, which allows fitting of ages over a broader diameter range, thus improving the error bars (see, e.g., Riedel et al., 2018; Orgel et al., 2018; see also supporting information). Because of the high uncertainties on AMAs on Mercury, we also ranked the basins based on N(25) derived by the BNSC approach to give the relative stratigraphy of the basins. We also compared this relative stratigraphy with values derived from using the BCC1 and BCC2 approaches (Table 2). As an independent check of our results, we compared the obtained ranking of basins with their observed relative stratigraphic relationships. Note that four basins (b11, b32, b96, and Goethe) cannot be assigned AMAs due to the large scatter of their CSFDs.

### 3.4. Comparison With Lunar Basins

Orgel et al. (2018) used the AMAs and N(20) values of the lunar basins to rank them in temporal sequence. Each derived N(20) value represents the measured frequency of craters ≥20 km normalized to an area of 10⁶ km². The error was calculated by dividing the N(20) value by the square root of the number of craters in this population. In order to compare the crater densities of Mercurian basins with the lunar basins, we rescaled the values of N(20)Moon to N(X)Mercury. In other words, we estimated the size of the impactor that forms an impact crater with the diameter of 20 km on the Moon and calculated the size of the impact crater that would be formed by that same impactor on Mercury. We applied the crater-scaling rule from Schmidt and Housen (1987) in Ivanov et al. (2008):

$$D_t/D_p = 1.21*(d/f)^{0.427}*(g/\sqrt{D_g})^{0.564}$$

where $D_t$ is the transient cavity diameter, $D_p$ is the projectile diameter, $d$ and $f$ are target and projectile densities, $v$ is impactor velocity, $g$ is surface gravity, $D_g$ is the diameter strength to gravity transition, and $D$ is the final crater diameter. Note that $D_g$ is calculated from the lunar value assuming an inverse dependence of this
term on gravitational acceleration and the same strength on both bodies. We used the equation from Chapman and McKinnon (1986) to calculate the transient diameter for a complex crater:

\[ D_t = D_{sc}^{0.13}D^0.85 \]  

(2)

where \( D_{sc} \) is the transition diameter from simple to complex crater. All parameters are listed in Table 1. The results allow the comparison of the cumulative number of craters on each body that were formed by similarly sized impactors.

Finally, we derived the shape of the summed CSFDs of Pre-Tolstojan- (>4.0 Gyr, Neukum et al., 2001), and Tolstojan-aged (4.0–3.9 Gyr, Neukum et al., 2001) basins using an R-plot with 10 per decade binning. If Neukum’s (1983, 2001) model about an unchanging population of impactors is correct, the CSFDs should fit with the isochrons of the PF represented on the R-plot, if the impactor population changed, the CSFDs should deviate from the Neukum PF.

4. Results

4.1. Updated Basin Inventory on Mercury

Most of the basins on Mercury are buried to variable degrees by thick smooth plains, intercrater plains, or impact melt on the surface of Mercury. In addition, candidate basins are often surrounded by scarps and other tectonic landforms, rather than obvious intact basin rims. Thus, the topographic data are extremely useful for identifying “hidden” basins not seen by earlier studies (Fassett, Head, Baker, et al., 2012; Neukum et al., 2001; Spudis & Guest, 1988).

Altogether, we identified and verified 49 certain, 31 probable (Figure 4 and Table 2), and 14 tentative basins (Figure 4 and Table 3) on the surface of Mercury. This is 1.7 times more certain and probable basins than in the previous study (Fassett, Head, Baker, et al., 2012), which was finished before the topography data used here were available.

1. We discovered 30 new basins (alphanumerical identifiers ≥b69, Table 2) and verified 17 basins from the list of unverified basins from Fassett, Head, Baker, et al. (2012).

2. The remaining 24 on the list of unverified basins from Fassett, Head, Baker, et al. (2012) were not confirmed to exist on topographic data, even though some of them (e.g., Bartok-Ives, Gluck-Holbein, and Tir) have International Astronomical Union approved names.

4.1.1. Examples of Newly Discovered Basins

Here, we present two examples out of 30 newly discovered basins (Figure 5 and Table 2).

4.1.1.1. The 375-km-Diameter Basin (b102) at 11.7°S, 75.4°W

The basin designated as b102 has a diameter of 375 km and was identified and classified as certain. It is located north of the Matisse-Repin and Raphael basins, and is centered at −11.7°S, −75.4°W (Figure 5 and supporting information). Based on the N(25) crater frequency using the BCC2 technique (Table 2), the basin belongs to the Tolstojan period, however, stratigraphically it predates Raphael basin, which is a Pre-Tolstojan basin. Thus, the b102 basin must be older than the N(25) value suggests. Smooth plains overprint the basin interior, which commonly exhibits low-reflectance material (Denevi, Ernst, Meyer, et al., 2013; Denevi, Ernst, et al., 2018). The rim of the basin is hardly visible in optical data, but ~50% of the northern part of the rim is apparent topographically. Lobate scarps are localized at the western and northern/eastern basin rims, showing signs of tectonic faulting and folding. The scarp at the western rim shows tectonic faulting away from the basin center, while the eastern and northern scarps face toward the basin center.

4.1.1.2. The 645-km-Diameter Basin (b79) at 53.7°N, 164.8°E

A second example of a newly discovered basin (b79) is a degraded 645 km-diameter feature classified as probable. It is located north of the Caloris basin and lies beneath its ejecta (Figure 5 and supporting information). Its geographic setting is analogous to the Mendel-Rydberg basin on the Moon, which is superposed by Orientale. The Caloris ejecta deposit (Odin Formation) that buries b79 is characterized by numerous kilometer-scale hummocky hills (see, e.g., Ackiss et al., 2015; Fassett et al., 2009). The basin rim is only recognizable as wrinkle ridges in topographic data but is arcuate in its northern portion. The basin itself is a distinctive circular low area in the topography data, except where it is directly under the Caloris rim.

10.1029/2019JE006212
Interestingly, the anomalous low topography created by b79 slightly extends into Caloris itself; similar inheritance of precrater topography is seen elsewhere on the Moon, Mars, and Mercury (Howard, 2007).

4.1.2. Examples of Newly Identified Tentative Basins

Here, we describe two examples out of 14 tentative basins. Of these 14 basins, 9 were newly identified in this study (Table 3). The remaining five basins were already listed as unverified in Fassett, Head, Baker, et al. (2012).

4.1.2.1. The 2,032-km-Diameter Basin (b69) at 3.9°N, 112.7°W

A tentative basin (b69) with a diameter of 2,032 km is located beneath the ejecta NW of Sobkou basin at 3.9°N, −112.7°W (Figure 5 and supporting information). If confirmed, b69 stratigraphically predates a number of basins, including b4, b6, b75, b81, b82, b84, b75, b6. Thus, b69 would be a relatively ancient and much degraded Pre-Tolstojan basin. This location partly overlaps with the Mg-rich region on Mercury, where the existence of a basin has been previously suggested (Weider et al., 2015) but has never been clearly demonstrated on the basis of earlier geological analyses. The main lines of evidence for b69 being a candidate basin are (a) that its interior shows a depression that is approximately circular in outline and (b) that it exhibits a number of lobate scarps that are circumferential to the tentative basin location. The reasons the basin is classified as tentative rather than probable are that a topographic high is present in the NW quadrant of the proposed location, and the basin rim is not visible in either topography or optical data.

4.1.2.2. The 2,081-km-Diameter Basin (b100) at 60.9°S, 75.7°E

Another example of a tentative basin is a 2,081 km-diameter basin (b100) at −60.9°S, 75.7°E) with an uncertain extent, but an interior that is a broad topographic depression (Figure 5 and supporting information). Some of the tectonic landforms in the region are broadly circumferential to the tentative basin location. Additionally, b91 could be a possible offset peak ring for b100 as the size of this tentative basin would allow that. If confirmed, b100 predates b3, b33, b54, b77, b83, b91, 103, and Rembrandt, which would mean that it is one of the oldest basins on Mercury.

4.2. Crater Frequencies With BNSC

The surface of Mercury went through extensive modification processes due to volcanic activity, which makes it challenging to measure accumulated crater densities corresponding to older basin surfaces. There is no method to compensate for the destruction of smaller craters on volcanically resurfaced areas. However, the BNSC technique corrects for the geometric obliteration of small craters by larger impacts and their corresponding ejecta deposits, and therefore can better estimate crater densities on surface units, where this form of obliteration dominates crater erasure (Kneissl et al., 2016; Orgel et al., 2018). The BNSC

Table 3
Tentative Impact Basins on Mercury, D ≥ 300 km

<table>
<thead>
<tr>
<th>#</th>
<th>Mercury basins</th>
<th>Confidence</th>
<th>Lat. (°)</th>
<th>Lon. (°)</th>
<th>Diameter (km)</th>
<th>Visibility</th>
<th>Stratigraphy^c</th>
<th>Note^a</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>b18</td>
<td>Tentative</td>
<td>11.8</td>
<td>64.8</td>
<td>424.97</td>
<td>P</td>
<td>P</td>
<td>undistinguishable relationship with b12 c</td>
</tr>
<tr>
<td>2</td>
<td>b47</td>
<td>Tentative</td>
<td>22.9</td>
<td>−170.5</td>
<td>370.95</td>
<td>Y</td>
<td>N</td>
<td>&gt; Caloris c</td>
</tr>
<tr>
<td>3</td>
<td>b55</td>
<td>Tentative</td>
<td>53.4</td>
<td>−59.5</td>
<td>379.81</td>
<td>P</td>
<td>N</td>
<td>undistinguishable relationship with Vy-Asa c</td>
</tr>
<tr>
<td>4</td>
<td>b65</td>
<td>Tentative</td>
<td>−46.2</td>
<td>−93.9</td>
<td>425.48</td>
<td>Y</td>
<td>N</td>
<td>&gt; b2 might predate Hawthorne-Riemenschneider b</td>
</tr>
<tr>
<td>5</td>
<td>b66</td>
<td>Tentative</td>
<td>−33.5</td>
<td>−98.4</td>
<td>446.74</td>
<td>Y</td>
<td>N</td>
<td>&gt; b2, b9 c</td>
</tr>
<tr>
<td>6</td>
<td>b69</td>
<td>Tentative</td>
<td>4.0</td>
<td>−112.7</td>
<td>2,032.31</td>
<td>Y</td>
<td>N</td>
<td>&gt; b85, b4, Sobkou, b81, Beethoven, b82, b84, b75, b6 d</td>
</tr>
<tr>
<td>7</td>
<td>b71</td>
<td>Tentative</td>
<td>−34.1</td>
<td>26.8</td>
<td>872.79</td>
<td>P</td>
<td>N</td>
<td>undistinguishable relationship with b56, &gt; b34 d</td>
</tr>
<tr>
<td>8</td>
<td>b73</td>
<td>Tentative</td>
<td>−33.4</td>
<td>−151.3</td>
<td>646.45</td>
<td>Y</td>
<td>P</td>
<td>&gt; b39, b97 d</td>
</tr>
<tr>
<td>9</td>
<td>b77</td>
<td>Tentative</td>
<td>−40.5</td>
<td>117.5</td>
<td>537.00</td>
<td>Y</td>
<td>N</td>
<td>Undistinguishable relationship with b83 d</td>
</tr>
<tr>
<td>10</td>
<td>b85</td>
<td>Tentative</td>
<td>14.6</td>
<td>−94.9</td>
<td>343.50</td>
<td>Y</td>
<td>N</td>
<td>d</td>
</tr>
<tr>
<td>11</td>
<td>b91</td>
<td>Tentative</td>
<td>−60.1</td>
<td>81.7</td>
<td>1,001.09</td>
<td>Y</td>
<td>N</td>
<td>&gt; b3 d</td>
</tr>
<tr>
<td>12</td>
<td>b93</td>
<td>Tentative</td>
<td>9.6</td>
<td>−179.3</td>
<td>542.88</td>
<td>Y</td>
<td>N</td>
<td>pre-Caloris d</td>
</tr>
<tr>
<td>13</td>
<td>b98</td>
<td>Tentative</td>
<td>−20.6</td>
<td>−47.5</td>
<td>358.39</td>
<td>Y</td>
<td>P</td>
<td>d</td>
</tr>
<tr>
<td>14</td>
<td>b100</td>
<td>Tentative</td>
<td>−61.0</td>
<td>75.7</td>
<td>2,081.86</td>
<td>P</td>
<td>N</td>
<td>&gt; b91, b3, Rembrandt, b83, b77, b54, b33, b103 d</td>
</tr>
</tbody>
</table>

^aData are from Fassett, Head, Baker, et al. (2012): (a) certain in Fassett, Head, Baker, et al. (2012), (b) probable in Fassett, Head, Baker, et al. (2012), (c) not verified by Fassett, Head, Baker, et al. (2012), and (d) this study. ^bVisibility of basins, P = Possible, N = No, Y = Yes. ^c>X, pre-dates X based on stratigraphy.
Figure 5. Examples of newly discovered basins overlaid on MDIS DEM 665 m/pix and MDIS monochrome data set. B102 is a certain basin with an almost completely preserved rim. B79 is categorized as probable and is situated north and beneath Caloris basin. B69 is a tentative basin overlapping with the proposed Mg-rich region on Mercury (Weider et al., 2015). B100 is a tentative basin covering a large portion of the south polar region on Mercury.
Figure 6. Crater measurement maps and derived CSFD with AMA of Sobkou basin after Neukum et al. (2001) and Le Feuvre and Wieczorek (2011). (a) Counting area on MESSENGER's Mercury Dual Imaging System (MDIS) 166-m/pixel mosaic base map. Craters marked in white were counted for BNSC age determination, whereas craters marked in blue were excluded during computation. We applied one crater radius radial from the crater rim, which removes the region obliterated by the craters and their proximal ejecta. (b) Counting area on MESSENGER's Mercury Dual Imaging System (MDIS) DEM 665m/pixel mosaic base map. Legend for panel (a) is the same as for panel (b). (c, d) Cumulative CSFD plots of Sobkou basin using two different crater counting techniques: BCC (1: red circles, 2: yellow circles) and BNSC (blue circles). The BNSC data show that the smallest crater bins were corrected to higher crater frequencies when accounting for crater nonsparseness. AMAs derived from the Neukum et al. (2001) (c) and Le Feuvre and Wieczorek (2011) chronology functions (d) using Poisson age analysis.
correction typically leads to an increase of the obtained smaller crater densities when compared to the BCC technique (Figure 6).

As described in section 3, we derived the crater densities of Mercurian basins using two different CSFD techniques: BCC and BNSC. The differences in measured crater frequencies using BCC and BNSC become systematically larger for older surfaces, such as Pre-Tolstojan basins, than on younger surfaces, due to the increasing role that crater obliteration plays on older surfaces. Thus, the $N(25)$ values for Mercurian basins derived using the BNSC technique are different from the $N(25)$ values obtained using with the BCC technique. The shifting of the results is in good agreement with improvements made to lunar basin CSFDs in our previous study (Orgel et al., 2018). The application of BNSC increases the obtained $N(25)$ values by an average of 35% compared to BCC1 (Table 2). If we exclude the anomalously high crater density of b42, this value drops to 25%. This difference is slightly higher on Mercury than on the Moon, where we measured 24% increase (Orgel et al., 2018).

The b42 basin has the highest $N(25)$ crater frequency ($745 \pm 186$). The difference (292%) between the BNSC and the BCC1 results for this basin are also the largest. The higher crater frequency can be explained by the exclusion of area that had been resurfaced by subsequent craters and their ejecta in a relatively small counting area (Figure 7 and supporting information). The discrepancy between the BNSC and BCC1 $N(25)$ values is lowest in b11 basin (−44%) (Figure 7 and supporting information). The negative factor shows a decreased crater frequency compared to BCC1. This effect could be interpreted as resulting from the distribution of few larger craters, which are separated from each other over relatively large area. Additionally, the centers of intersecting craters fall within one crater radius, thus, are excluded from the calculation due to obliteration.

4.3. Spatial Densities of Basins on Mercury and the Moon

The spatial densities of (1) certain and probable (altogether 80 basins) and (2) all basins including tentative basins (altogether 94 basins), respectively, allow a comparison between the basin populations on Mercury and the Moon. This can be done without rescaling the values of $N(300,500)_{\text{Moon}}$ to $N(X,Y)_{\text{Mercury}}$ due to

Figure 7. B42 has the largest difference between the BNSC and the BCC1 results (292%), while the discrepancy is the lowest (−44%) in b11. Craters excluded and included during computation are marked with blue and white, respectively.
the large uncertainties in scaling at basin scales. The spatial density of basins with $D \geq 300$ km per $10^6$ km$^2$ on Mercury or the $N(300)_\text{Mercury}$ are $1.07 \pm 0.12$ (certain and probable) and $1.26 \pm 0.13$ (all basins), respectively. Similarly, the spatial density of basins with $D \geq 500$ km per $10^6$ km$^2$ on Mercury or the $N(500)_\text{Mercury}$ are $0.44 \pm 0.07$ (certain and probable) and $0.54 \pm 0.08$ (all basins), respectively. To compare the basin density values with the updated data set from the Moon, we derived the spatial density of lunar basins (altogether 36 basins) using the data from Orgel et al. (2018) with additional basins from the Neumann et al. (2015) basin catalog. We found that the spatial density of basins with $D \geq 300$ km and $D \geq 500$ km per $10^6$ km$^2$ are an $N(300)_\text{Moon}$ of $0.94 \pm 0.16$ and an $N(500)_\text{Moon}$ of $0.55 \pm 0.12$. In contrast to a previous study (Fassett, Head, Baker, et al., 2012), we find that basins have a slightly higher $N(300)$ density on Mercury than on the Moon (Figure 8a), but the difference is below the level of the 1-sigma uncertainties. The similar $N(500)$ basin density on Mercury and the Moon has substantial implications for the early history of both planetary bodies’ crust. This result could be the consequence of saturation on both surfaces (Fassett et al., 2011).

We also summed the crater densities of certain and probable Mercurian (Pre-Tolstojan, Tolstojan basins and Caloris basin, altogether 29 basins) and lunar basins (Pre-Nectarian, Nectarian, and Imbrian basins, altogether 36 basins) (see also Orgel et al., 2018) using the BNSC technique, alone (Figure 8b). Compared to the Moon, the crater densities on Mercury are slightly higher or nearly equivalent at large crater diameters ($D > 100$ km). Below 100 km in diameter, the CSFD on Mercury falls below the lunar distribution, which is consistent with previous studies (Fassett et al., 2011; Fassett, Head, Baker, 2012).

### 4.4. Impactor Population

To investigate the nature of the impactor population(s) on Mercury, we compared the summed BNSC CSFDs of the Pre-Tolstojan-aged basins and Tolstojan-aged basins (including Tolstoj) (Figures 9c and 9d) to one another, and then to the summed CSFDs of Pre-Nectarian, Nectarian, and Imbrian basins on the Moon (Figures 9a and 9b) (Orgel et al., 2018). Figure 9a shows that Pre-Nectarian CSFD does not conform to the isochrons of the unchanging Neukum (1983) PF using the BCC method (Fassett, Head, Kadish, et al., 2012), concluding a change in impactor populations. The application of the BNSC method to the lunar basin population (Figure 9b) allowed the correction of the smaller crater size bins on ancient Pre-Nectarian surfaces (Orgel et al., 2018). By removing areas that were affected by nonsparse cratering, and thus the destruction of smaller diameter craters by subsequent craters and their ejecta, a clearer view of the Pre-Nectarian CSFD was possible. Indeed, Orgel et al. (2018) were able to conclude that the shape of the CSFD between

![Figure 8.](image-url)
The Pre-Nectarian, Nectarian, and Imbrian periods did not change, which suggests that the SFD of the impacting population did not change as had previously been suggested (Fassett, Head, Kadish, et al., 2012; Head et al., 2010).

The shapes of the CSFDs for the Pre-Tolstojan and Tolstojan periods have similar shapes that generally follow the trend of the Neukum et al. (2001) PF (Figure 9c) but do not conform to the Le Feuvre and Wieczorek (2011) PF for nonporous material (Figure 9d). As expected, the Pre-Tolstojan data set plots above the Tolstojan due to their relative age differences. It is difficult to tell based on the spread of the data points around the example isochrons whether there is a significant difference between the shapes of the two curves. Potentially, the smaller crater bins in the Pre-Tolstojan exhibit a lower crater spatial density than later in the Tolstojan.

Figure 9. Summed CSFDs to study the impactor population(s) on the Moon (a, b) and Mercury (c, d) using an R-plot representation. (a, b) Summed CSFDs of the Pre-Nectarian-aged basins (excluding SPA, blue squares), Nectarian-aged basins (red triangles) and Imbrian-aged basins (green circles) on the Moon using the BNSC technique (30 basins). The gray lines represent the isochrons of the PF. (a) Fassett, Head, Kadish, et al. (2012) found a steep slope in the diameter range from 20 to 100 km in the shape of Pre-Nectarian CSFD using the BCC method (Fassett & Head, 2008) and concluded different impactor populations (modified from Orgel et al., 2018). (b) In contrast, Orgel et al. (2018) show that CSFDs conform to the Neukum (1983) PF showing an unchanging shape of the distribution, thus indicating an unchanging SFD of impactors (modified from Orgel et al., 2018). (c, d) Summed CSFDs of the Pre-Tolstojan-aged basins (blue squares) and Tolstojan-aged basins (red squares) on Mercury using the BNSC technique (29 basins). (c) The shape of CSFDs does not follow the Neukum et al. (2001) PF below 35km diameter in Pre-Tolstojan distribution. (d) The summed CSFDs do not conform to the Le Feuvre and Wieczorek (2011) nonporous PF below ~50km diameter, but they fit at larger crater sizes.
5. Discussion

5.1. Geographic Distribution of Basins

Fassett, Head, Baker, et al. (2012) suggested that the geographic distribution of the basins on the surface of Mercury is nonuniform. There are fewer basins observed on the eastern hemisphere than on the western hemisphere.

To analyze whether the basin distribution on Mercury is consistent with being drawn from a random population, we investigated the number of basins in hemispheres across the planet with a central meridian every 1° in longitude. Figures 10a and 10b show the number of basins is maximal for a hemisphere centered at roughly 120°W ± 30°, with a corresponding lower frequency in the opposite hemisphere. We ran a Monte Carlo simulation to test the probability of seeing a comparable magnitude for the observed basin asymmetry. We found certain basins would have a lower basin asymmetry magnitude in 98% of cases, while certain and probable basins would do so in 91% of trials (Figures 10c and 10d). Note that this is a statistical probability calculation, where basins are treated as points, and target properties and geologic processes are assumed to be homogenous. Nonetheless, it tentatively suggests that the asymmetry in basin distribution would not be expected if basins were emplaced on the surface in a random manner.

Figure 10. Basin asymmetry based on (a) certain and (b) certain and probable basins. Number of basins per hemisphere shown in each 1° increments. The axes show the frequency of basins (y axis) for a hemisphere with a given central meridian (x axis); note that the dividing line between these two hemispheres is thus x + 90°. (c) Monte Carlo simulation of the probability to form certain, and (d) certain and probable basins on the surface. The axes show the Monte Carlo trials (y axis) to recreate the observed basin distribution, and the asymmetry magnitude (x axis) represents the maximum excess of basins at the densest hemisphere. We found certain basins would have a lower basin asymmetry magnitude in 98% of cases with 10.1 asymmetry magnitude (red line), than the observed distribution (panel c). While, certain and probable basins would do so in 91% of trials with 8.6 basin asymmetry magnitude (red line) (panel d).
This distribution could be explained by three major hypotheses: (1) different thermal properties of the crust due to orbital resonances and/or interior geodynamical processes (Chapman et al., 2018; Miljkovic et al., 2013; Siegler et al., 2013; Vasavada, 1999), (2) differential resurfacing by volcanism (Fassett, Head, Baker, et al., 2012; Denevi, Ernst, Meyer, et al., 2013), or (3) that the basins on Mercury are spatially random but happened to end up in this configuration.

In the present day, Mercury's 3:2 spin-orbit coupling leads to a ~150-K difference in crustal temperatures as a function of longitude between the so-called "hot pole" (at 0°E and 180°E) and "cold pole" (at 90°E and 270°E) longitudes. Moreover, there is a ~150- to 300-K difference with latitude, with the larger contrast in the hot pole longitudes, which substantially depend on the orbital eccentricity (Vasavada et al., 1999; Williams et al., 2011). The orbital eccentricity of Mercury varied between 0.0 and 0.4 over its history (Correia & Laskar, 2004), and thus, the magnitude of lithospheric temperature anomalies may have varied substantially over billions of years. A complication for the importance of this effect is that it remains an open question when Mercury reached the 3:2 resonances (e.g., Tosi et al., 2015: >1 Gyr after formation; Noyelles et al., 2014: <20 Myr) that set up the current lithospheric thermal structure. If this happened well into Mercury's history, it is plausible that no differences in the observed SFD as a function of lithospheric temperature would be expected, even with Mercury's present inhomogeneous distribution of temperature. Alternatively, Mercury might have once reached 1:1 spin-orbital resonance during its history with one hemisphere always facing the Sun and causing significant surface temperature difference on both sides (Correia & Laskar, 2009; Wieczorek et al., 2012). This thermal contrast could translate into differences in crater size, morphology, or morphometry, particularly for large impact events. The National Aeronautics and Space Administration’s Gravity Recovery and Interior Laboratory(NASA’s GRAIL) confirmed that the basins on the Moon are larger on the nearside than on the far side (Neumann et al., 2015). This asymmetry was explained by the increase of the heat-producing elements on the nearside; consequently, the nearside was initially hotter than the farside (Miljkovic et al., 2013). Miljkovic et al. (2013) used the iSALE-2D hydrocode to model the SFD of basins on both hemispheres and found that lateral variations in target temperature could have greatly affected the SFD of basins. Specifically, the warmer nearside results in a SFD that shifts to larger crater diameters and hence larger diameter of basins on the warm hemisphere.

The second major hypothesis is that the formation of smooth plains is spatially nonuniform on the surface and coincides with basins; however, one third of the smooth plains is located in the northern polar region unrelated to any large basin forming impacts (Denevi, Ernst, Meyer, et al., 2013; Ostrach et al., 2015; Qingyun et al., 2018). The thickness of smooth plains varies between 0.5 and 4 km (Denevi et al., 2009; Denevi, Ernst, et al., 2018; Denevi, Ernst, Meyer, et al., 2013; Ernst et al., 2015; Head et al., 2009, 2011; Ostrach et al., 2015; Prockter et al., 2010; Trask & Guest, 1975; Whitten & Head, 2015). We observe basins (D ≥ 300 km) completely infilled by smooth plains and outlined by wrinkle ridges or lobate scarps. Of course, the effectiveness of this large-scale resurfacing process is dependent on basin size and the thickness of volcanic plains. Thus, the complete erasure of basins cannot be excluded by a planet-wide differential resurfacing.

### 5.2. Basin Formation and Subsequent Geologic Activity

In this study, we derived the AMAs of individual basins using the CSFDs we measured using the BNSC technique. The AMAs are dependent on the chronology model, which in fact is extrapolated from the lunar one and thus, includes uncertainties (Le Feuvre & Wieczorek, 2011; Neukum et al., 2001). We compared the
results derived with the Neukum et al. (2001) and Le Feuvre and Wieczorek (2011) nonporous chronology models and found a ~200Myr difference between the AMAs (Figure 6 and Table 4). We found that the AMAs for Pre-Tolstojan basins (Neukum et al., 2001) range from 4.24 ± 0.04/0.06 Gyr (Borealis basin) to 3.94 ± 0.06/0.07 Gyr (b38) with an average AMA of 4.05 ± 0.06/0.15 Gyr, whereas the AMA of Pre-Tolstojan basins using the Le Feuvre and Wieczorek (2011) CF vary between 3.95 ± 0.02/0.03 Gyr (Borealis basin) and 3.75 ± 0.03/0.06 Gyr (b38) with an average AMA of 3.84 ± 0.03/0.04 Gyr. The AMAs of Tolstojan basins using the Neukum et al. (2001) CF give results from 4.10 ± 0.05/0.07 Gyr (b12) to 3.85 ± 0.05/0.06 Gyr (Beethoven basin) with an average AMA of 3.96 ± 0.05/0.06 Gyr. Using the Le Feuvre and Wieczorek (2011) CF, the AMAs vary from 3.94 ± 0.05/0.07 Gyr (b20) to 3.65 ± 0.04/0.15 Gyr (Rembrandt basin) with an average of 3.79 ± 0.04/0.07 Gyr. Although we report AMAs to three significant digits, the systematic errors in the CF could be substantial (>200 Ma), and errors resulting from resurfacing are also nonnegligible (hundreds of million years). Thus, these values should be treated with appropriate caution.

The sequence of basins on Mercury was ranked based on \( N(25) \) crater frequencies using the BNSC, BCC1, or BCC2 CSFD techniques. We found that \( N(25) \) and relative stratigraphy are in good agreement, with only seven basins showing discrepancies (Table 2, marked with italics). Figure 11 shows the sequence of basin formation on Mercury (74 basins) and the Moon (30 basins) including results of all CSFD techniques. In Table 2, we include six more basins, but because of the absence of reliable crater statistics, we do not indicate these basins on Figure 11. Note that Mercurian basins with higher crater frequencies than Borealis are very few in number compared with the Pre-Nectarian lunar basins. The youngest large Mercurian basins (Rembrandt: 35 ± 7, BNSC, 36 ± 6, BCC1; Caloris: 35 ± 6, BNSC; 28 ± 7, BCC1) have a crater density when rescaled comparable to Imbrium and significantly higher than Schrödinger or Orientale. Rembrandt basin has been suggested to be similar in age or slightly older than Caloris (Fassett, Head, Baker, et al., 2012; Watters et al., 2009; Whitten & Head, 2015). According to this study, AMA and \( N(25) \) of it is slightly higher than the Caloris forming event, although the error bars overlap in \( N(25) \). We consider Rembrandt basin as probably having formed in the Tolstojan period, which is in agreement with previous studies (Ferrari et al., 2015; Gernerline et al., 2017; Hynek et al., 2016).

Based on the 2.5 times higher crater production rate above 300 km (Le Feuvre & Wieczorek, 2011) and a factor of 2 greater surface area, we expect a factor of ~5 more basins to form on Mercury than on the Moon.
Mercury, where the oldest basins are not observable on the surface. One plausible explanation is that they are province rather than a typical basin structure (Manske et al., 2019). This scenario could be relevant for understanding the formation of an impact melt pool to explain the unusual absence of basins on Mercury.

Second, considering higher impact rates, impact melt production was dominant in the early history of Mercury. This period is marked by a rapid formation of impact basins between 4.21 and 4.45 Gyr. The solidification of the magma ocean led to fractional crystallization, which significantly contributed to the low albedo of Mercury's surface (Denevi et al., 2009; Fletcher et al., 2012; Pierazzo et al., 1997; Whitten & Head, 2015). The remnants of that layer might be exposed now as low-reflectance material by larger impacts, which is significantly contributing to the low albedo of Mercury's surface (Denevi et al., 2009; Robinson et al., 2008). Furthermore, those basins that formed around or shortly after the solidification of the magma ocean exhibit viscoelastic relaxation and still might show observable structures. However, on the Moon most of the proposed old Pre-Nectarian basins on the Moon do not exhibit clear topographic or gravity signatures (Kamata et al., 2015). Kamata et al. (2015) investigated the viscoelastic deformation of impact basins on the Moon using crustal thickness models to infer their thermal state at the time of basin formation. They find that a Moho temperature $\geq 1300$–$1400$ K is required for substantial viscous relaxation of the topography, and such a high temperature can be maintained only for a short time ($<50$ Myr), or after a possible mantle overturn $\geq 150$ Myr after magma ocean solidification. However, the magma ocean solidification may have been prolonged by tidal heating for 200–300 Myr on the early Moon (Meyer et al., 2010). Conrad et al. (2018) drew the same conclusions from GRAIL, where they assessed the age and relaxation state of lunar impact basins and find a change in relaxation state likely caused by the cooling of the lunar crust between 4.21 and 4.45 Gyr. The solidification time of the magma ocean on Mercury is unknown, but similar processes could have affected Mercury's early crustal evolution (Padovan et al., 2015).

Second, considering higher impact rates, impact melt production was dominant in the early history of Mercury (Cintala & Grieve, 1998; Gault, 1975; Ostrach et al., 2012; Pierazzo et al., 1997; Whitten & Head, 2015). Manske et al. (2019) used hydrocode simulations to determine the amount of melt generated by an impact and found that the interior temperature and lithospheric pressure of the target planet significantly affects the final melt distribution and the crater morphology for impactors larger than 10 km in diameter on Mars. Additionally, large-scale collisions on a younger and hotter planet may result in the formation of an impact melt pool to fill up the entire crater resulting in the formation of an igneous province rather than a typical basin structure (Manske et al., 2019). This scenario could be relevant for Mercury, where the oldest basins are not observable on the surface. One plausible explanation is that they drowned in their own melt.

### 5.3. Saturation Equilibrium

Saturation equilibrium is reached when the formation of new craters and their ejecta obliterate (on average) an equal number of preexisting craters (Gault, 1970; Shoemaker, 1965; Woronow, 1977).

To investigate the possibility of saturation equilibrium on Mercury in crater diameters $\geq 25$ km, we compared the fraction of the original and the BNSC modified count area sizes for each basin to its N(25) crater frequencies (Figure 12a). We expect that basins that show the highest level of nonsparness to be close to or...
at saturation equilibrium. We observe a linear decrease in the effective counting area with increasing N(25) value toward older surfaces, because the level of nonsparness increases with basin age. This finding is in good agreement with the trends in saturation equilibrium of the lunar basins at diameters ≥20 km (Orgel et al., 2018). However, this linear decrease is steeper than on the Moon (Figure 12b), which might provide additional evidence for an absence of basins older than Borealis on Mercury.

For example, Caloris, Beethoven, and Rembrandt basins’ BNSC N(25) values are calculated using nearly 100% of the original count area. Accordingly, the nonsparness effect is negligible; we observed the same characteristic in the youngest basins on the Moon (Orgel et al., 2018). Consequently, these basins could belong to the same geologic time period. N(25) values for Tolstojan basins are based on 40–90% of the initial count area, while most N(25)s for Pre-Tolstojan basins were derived from 10–70% of the original areas.

At the largest crater diameters, four Pre-Tolstojan basins (Borealis, Matisse-Repin, b96, and b42) have less than 20% of their original count area remaining after the implementation of the BNSC (Figure 12a and Table 2). This suggests that these basins have almost reached saturation equilibrium at crater diameters of ≤25 km and that only 10–20% of their remaining count areas represent unmodified surfaces. Note that the crater population observed upon basins at, or close to, saturation cannot provide reliable AMAs due to the reduced number of craters that can be used for the fit. Thus, even though we provide AMAs in Table 2, those with the highest crater densities should be interpreted cautiously. The relatively small number of basins (Borealis, Matisse-Repin, b96, and b42) are saturated with craters that have diameters of ≤25 km, a conclusion consistent with previous results on the Moon (Fassett, Head, Kadish, et al., 2012; Head et al., 2010; Orgel et al., 2018; Povilaitis et al., 2017; Xiao & Werner, 2015). The BNSC method is thus, useful for understanding the equilibrium conditions on Mercury and the Moon.

**Figure 12.** Comparison of N(20,25) versus fraction of original and BNSC-modified count area on Mercury (a) and the Moon (b). The BNSC-modified count area is the area size related to the smallest crater after computation. The diagrams present the decrease of the remaining area after the BNSC correction and the increase of the N(20,25) value toward older surfaces. Fraction is calculated by 1.0 divided by the original count area size/BNSC-modified area size. Where the count area size/buffer area size is smaller than 1.0, the determined fraction could be larger than 1.0. (a) Borealis, Matisse-Repin, b96, and b42 might be in saturation equilibrium on Mercury, where their original count area is less than 20%, lunar data are from Orgel et al. (2018).

**5.4. Impactor Population(s) and the LHB**

Based on the observed crater populations on the Moon, Mars, and Mercury, Strom et al. (2005, 2011, 2015) and Head et al. (2010) proposed two different populations of impactors. Fassett, Head, Kadish, et al. (2012) found a steep slope in the diameter range from 20 to 100 km in the summed CSFDs of the Pre-Nectarian basins on the Moon and concluded that the impactor population changed in nature earlier than the mid-Nectarian period (Figure 9a). However, Orgel et al. (2018) found that the steep slope is removed when the new BNSC technique is applied to the measurement of CSFDs on heavily cratered lunar basin (Figure 9b). As a result, the CSFDs more closely follow the Neukum (1983) PF for all periods. This means that the shape of the impactor SFD across the Pre-Nectarian, Nectarian, and Imbrian periods did not change (Orgel et al., 2018). This implies that there was either one population of impactors or different populations with the same SFD.

One of the goals of our current work was to evaluate the nature of the impactor population(s) on Mercury using the same approach as for the Moon. We find that applying the BNSC to the CSFDs for the Mercurian basins gives N(25) densities that are on average 25% (excluding b42) higher than when using BCC approaches alone. The observed increase in crater densities using BNSC in the CSFDs come from the improved accounting of the small crater populations on these highly cratered surfaces by excluding areas.
where geometric crater obliteration occurred. This effect results in an increase in the measured crater spatial densities in these diameter bins, similar to what was seen for the BNSC on lunar data.

Again, if the Neukum (1983) and Neukum et al. (2001) theory that the impactor population in the inner solar system did not change over time, we would expect that the CSFDs for Mercurian basins in different time periods maintain a single shape following the PF. With our new data analyses, we find that the shapes of the Pre-Tolstojan and Tolstojan basins are similar, although it is not possible to say conclusively whether the SFD of the Pre-Tolstojan basins drops off more sharply at <50km diameters due to the scatter of the data set around the PF, which is more consistent with the Neukum et al. (2001) PF than the Le Feuvre and Wieczorek (2011) nonporous model. Above 50-km diameters, the SFDs of both time periods show similar shapes and slopes. In summary, while inconclusive for craters <50km diameter, our results support a single impactor population or different populations with the same impactor SFD for Mercury. This study does not preclude changes to the CSFD in more recent epochs, that is, in the Calorian and younger periods (Banks et al., 2017; Strom et al., 2011).

6. Conclusions

Altogether, we cataloged 94 basins, 1.7 times certain and probable basins as many as in earlier work (Fassett, Head, Baker, et al., 2012). We performed CSFD analysis of 74 basins using the BCC and the BNSC techniques. Applying the BCC technique only allowed us to determine minimum values for CSFDs, so the relative ages of these basins are uncertain. The BNSC proved to be a useful technique to correct the effect of geometric crater obliteration due to heavy cratering on Mercury, which was successfully applied in previous study of the Moon (Orgel et al., 2018). Based on the CSFDs, we established a relative basin sequence, which proved to be generally in good agreement with the observed relative basin stratigraphy. We estimated that roughly half of the expected basin record is missing, where basins older than Borealis have been obscured by different processes (e.g., higher impact melt production, volcanism, subsequent impacts, and viscoelastic relaxation of basins)—a finding is in agreement with Marchi et al. (2013). We investigated the summed CSFDs of Pre-Tolstojan and Tolstojan basins to shed light on the impactor populations. In contrast to previous studies (Fassett, Head, Baker, et al., 2012; Fassett, Head, Kadish, et al., 2012; Head et al., 2010; Marchi et al., 2013; Strom et al., 2015), which demonstrate a change in the shape of the CSFDs prior 3.9 Gyr, our results are consistent with Orgel et al. (2018) that one impactor population can explain the bombardment history of the surface of Mercury.

References


Icarus, 201(1), 1–11.
image products of MESSENGER's Mercury Dual Imaging System. Space Science Reviews, 214(1), 1, 2–52. https://doi.org/10.1007/s11214-
017-0440-y
University Press.
Rembrandt basin, Mercury. 48th Lunar and Planetary Science Conference, Abstract #2864. The Woodlands, TX.
ORGEL ET AL.
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Journal of Geophysical Research: Planets
10.1029/2019JE006212


